



Measuring Vacuum with Cold Atoms

Julia Scherschligt

26 June 2025



Measuring Vacuum with Cold Atoms



Introduction

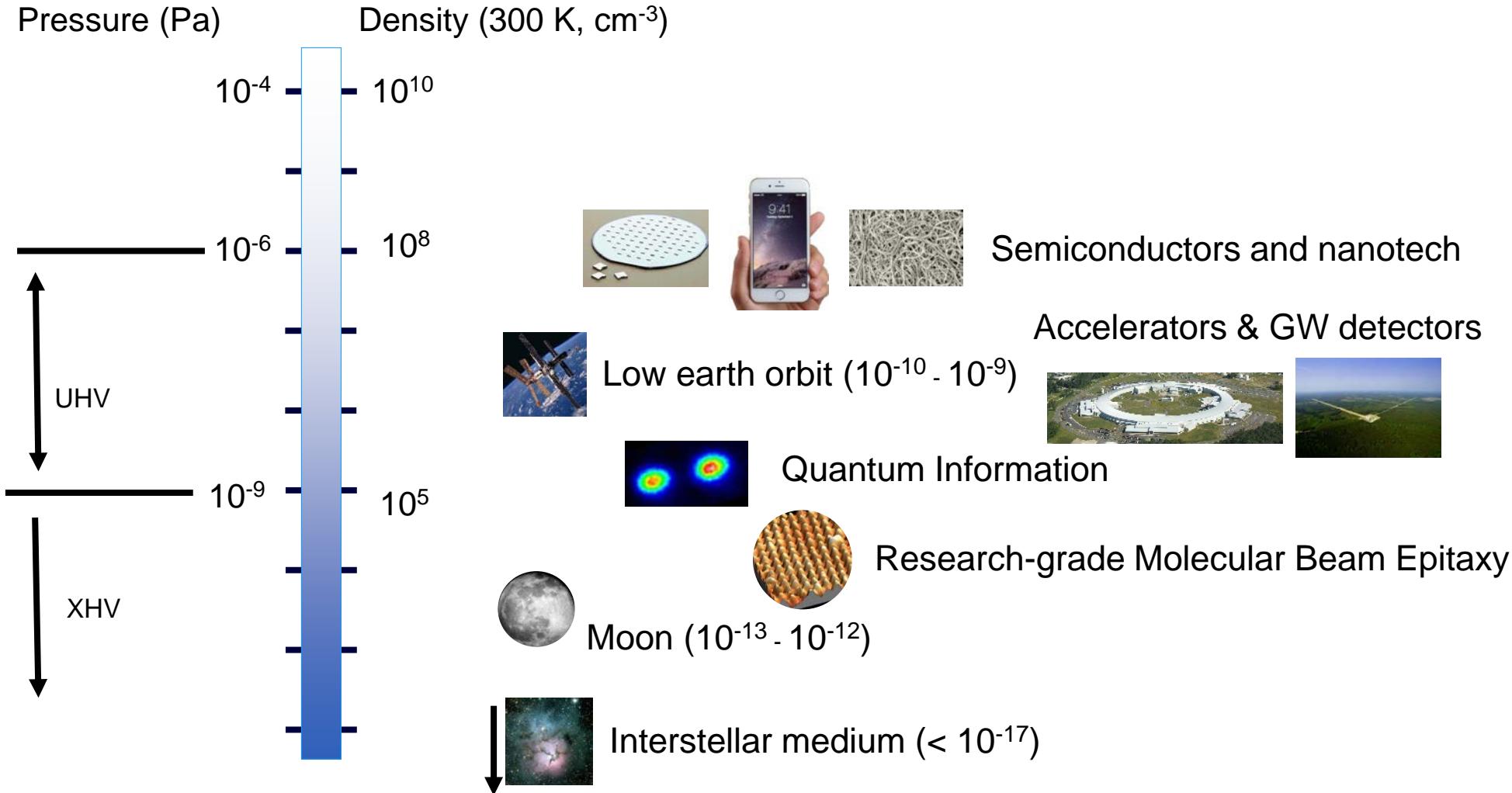
Basis of the technique

Does it work?

How to make it practical to the community

Conclusions/outlook

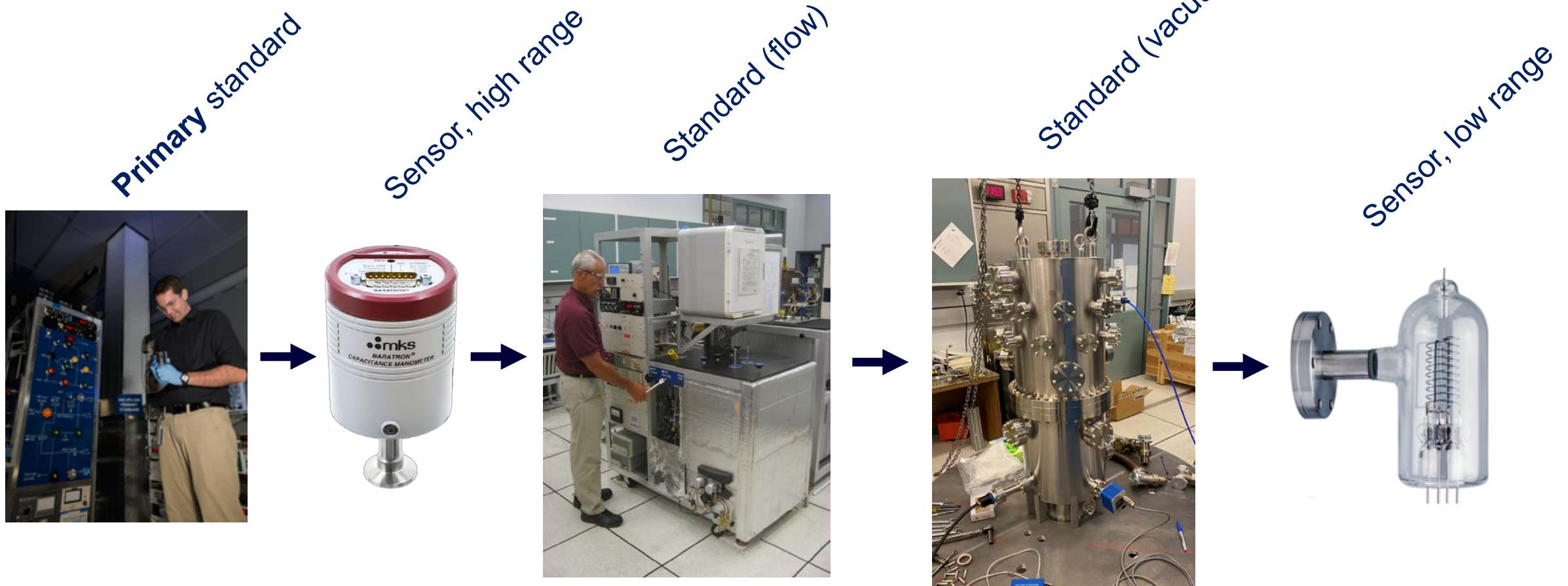
Introduction - vacuum scale and who cares?



Introduction

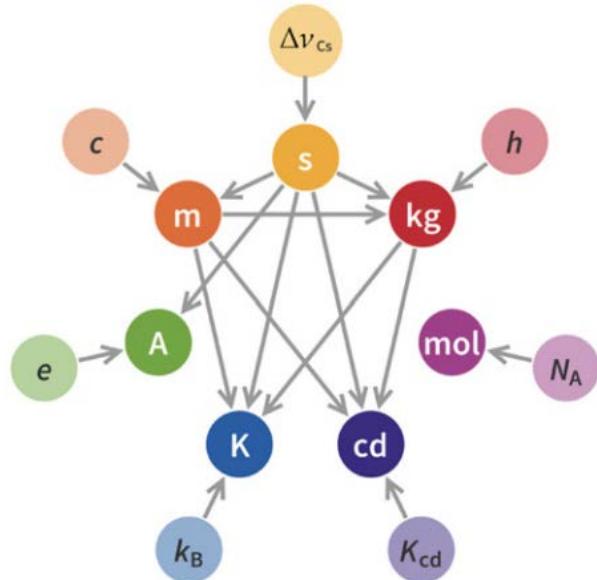


Drawbacks of traditional method: long traceability chain, generally poor accuracy, deepest vacuum not accessible



Introduction

The redefinition of the SI provides an opportunity to develop new ways to realize the pascal

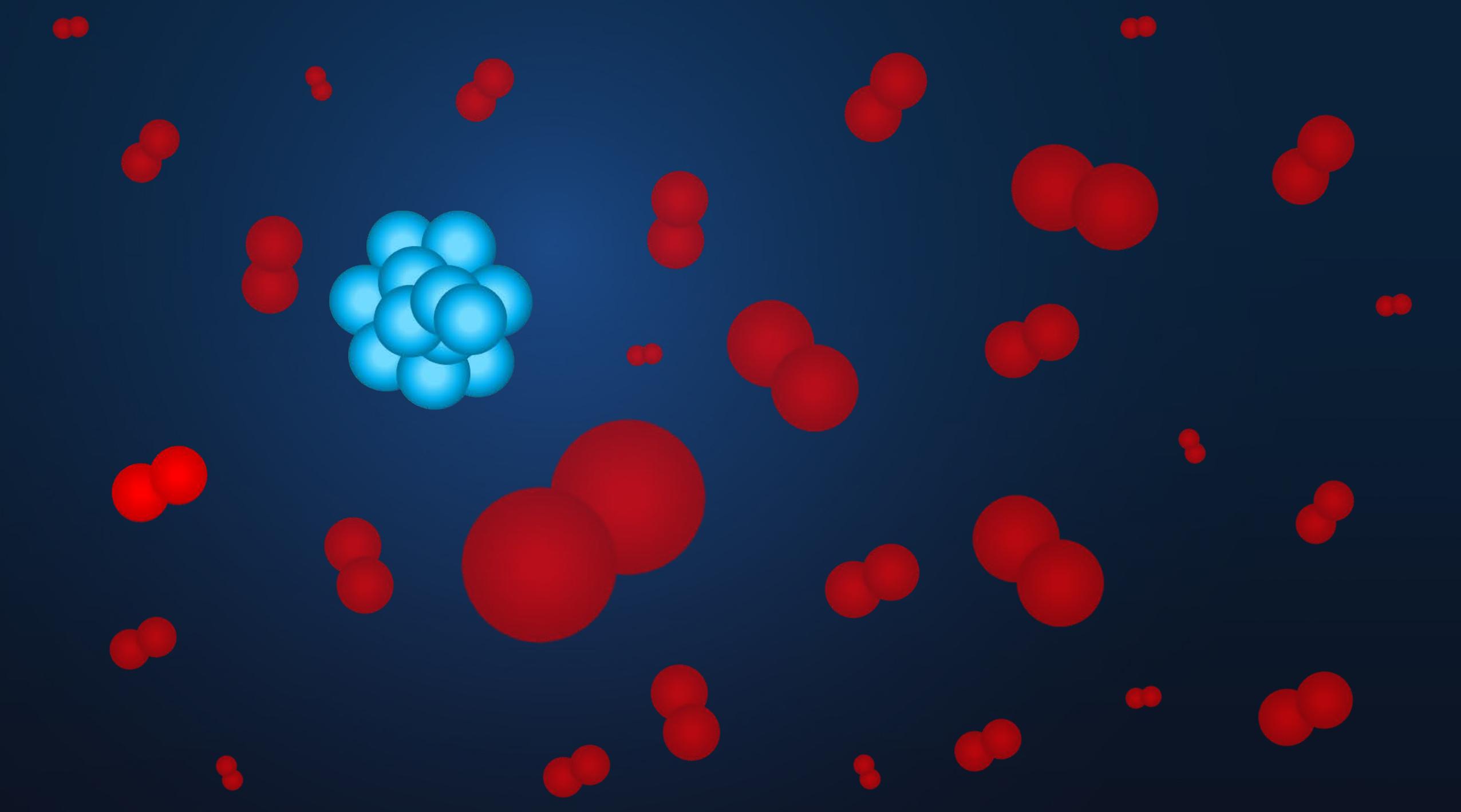


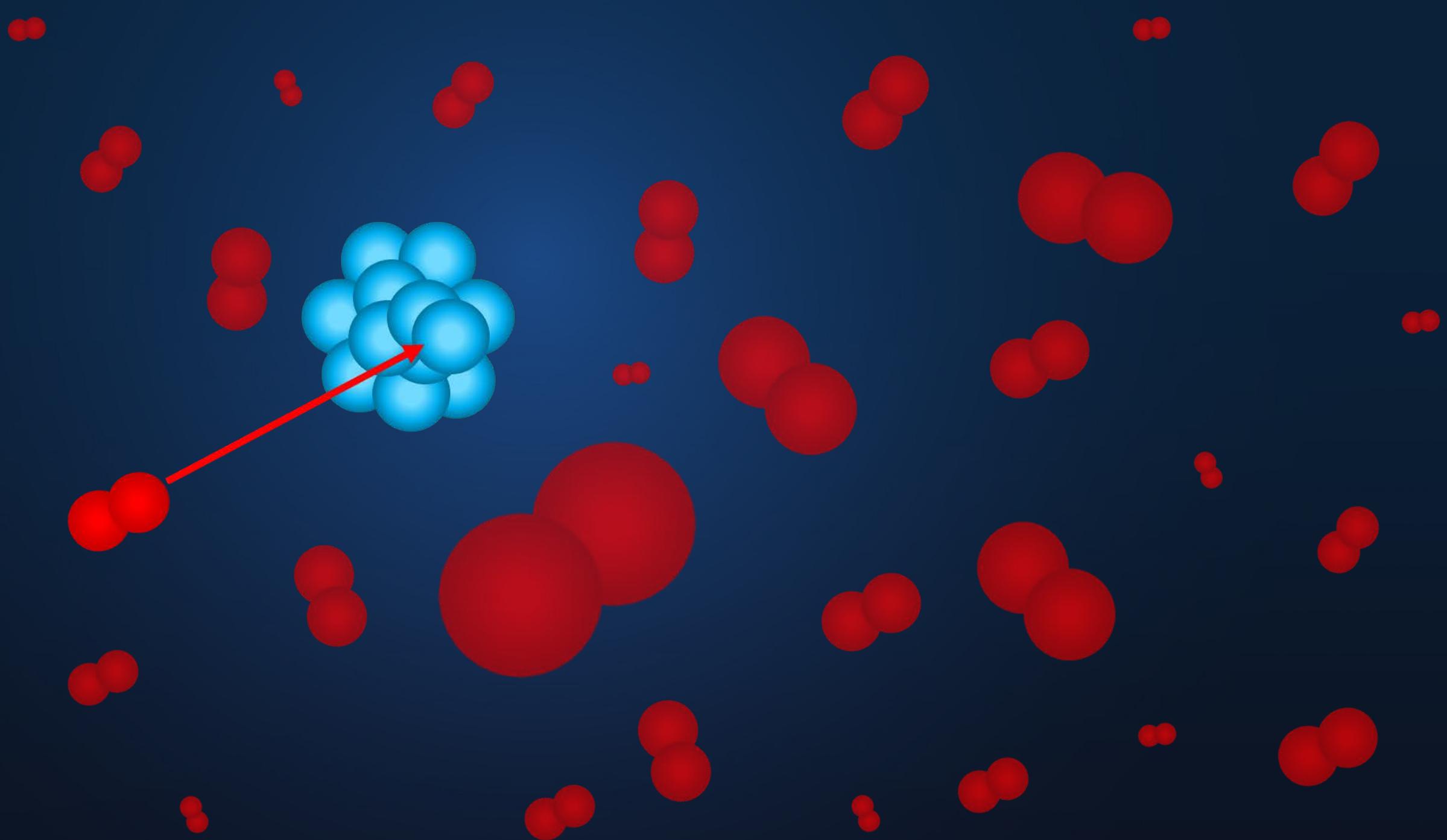
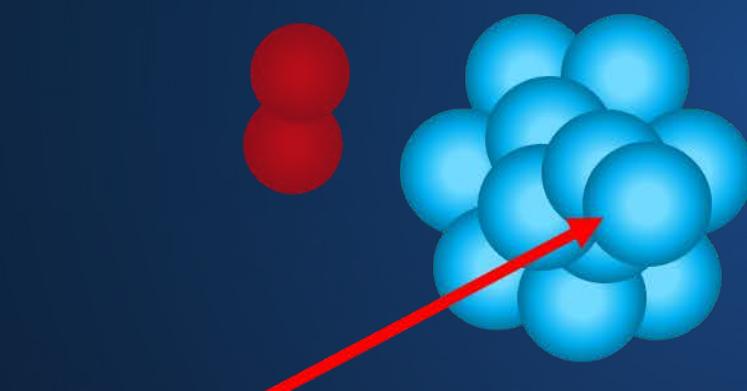
Can we make a better standard that's ALSO a gauge?

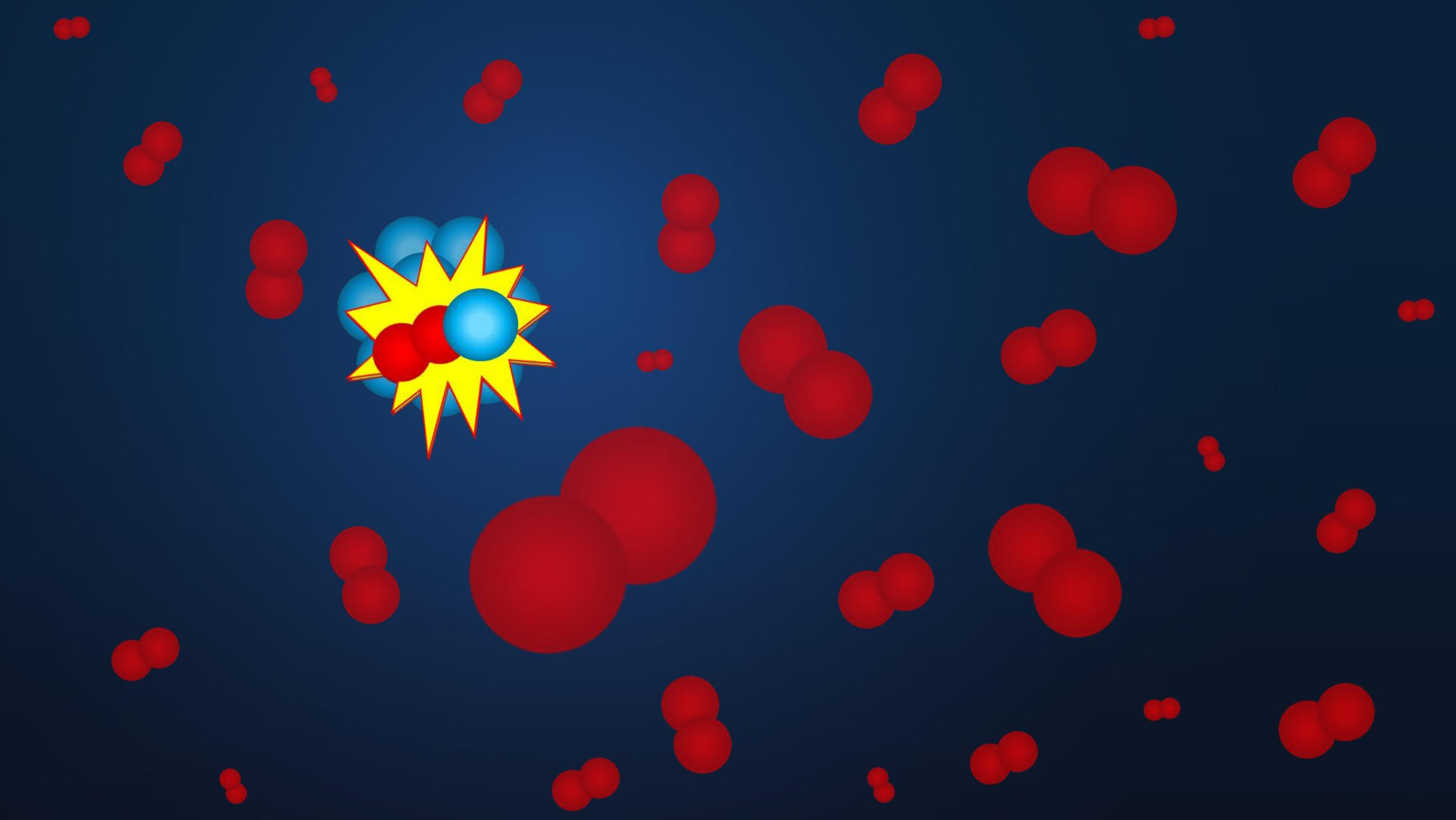


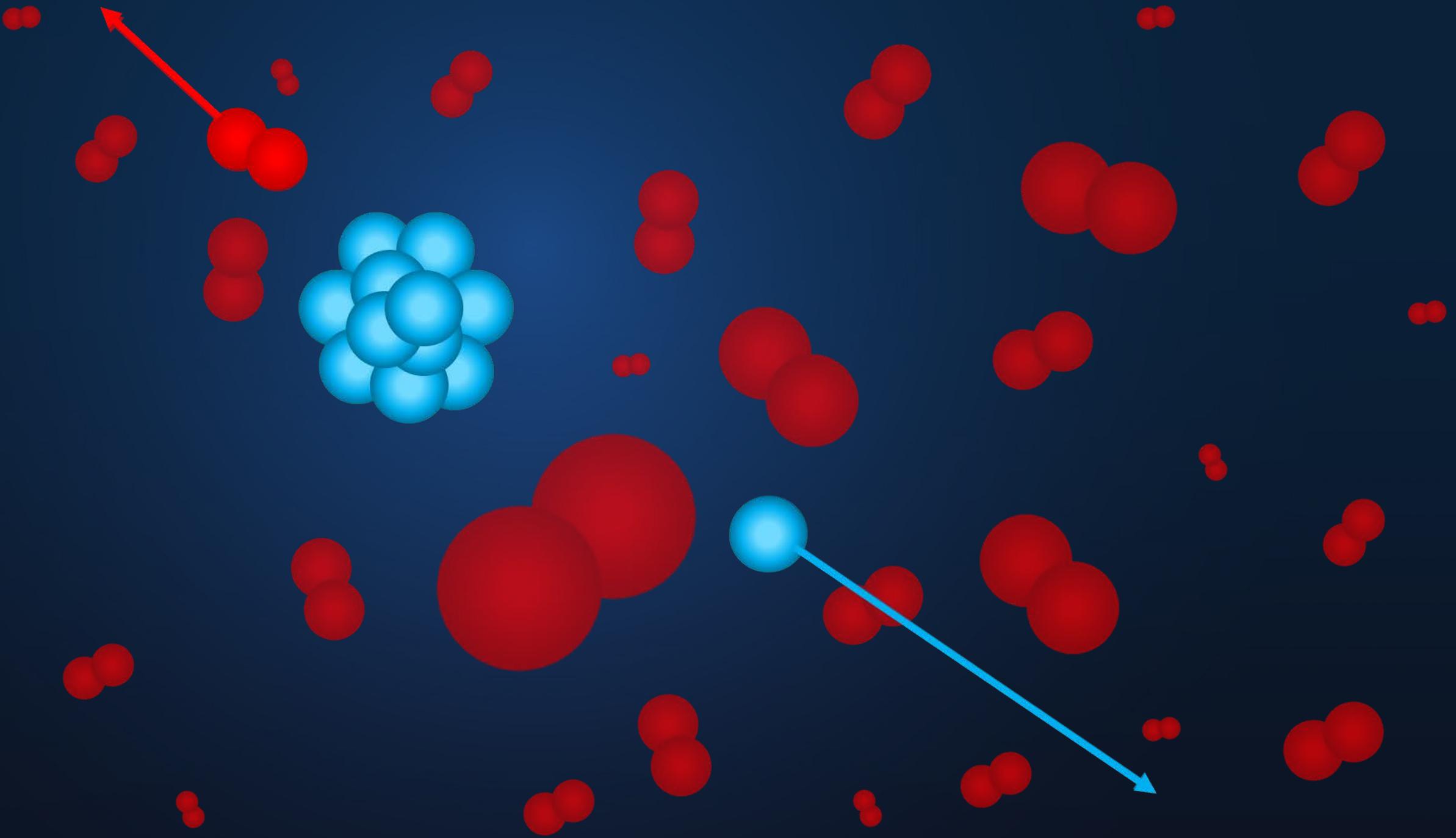
Basis of the technique

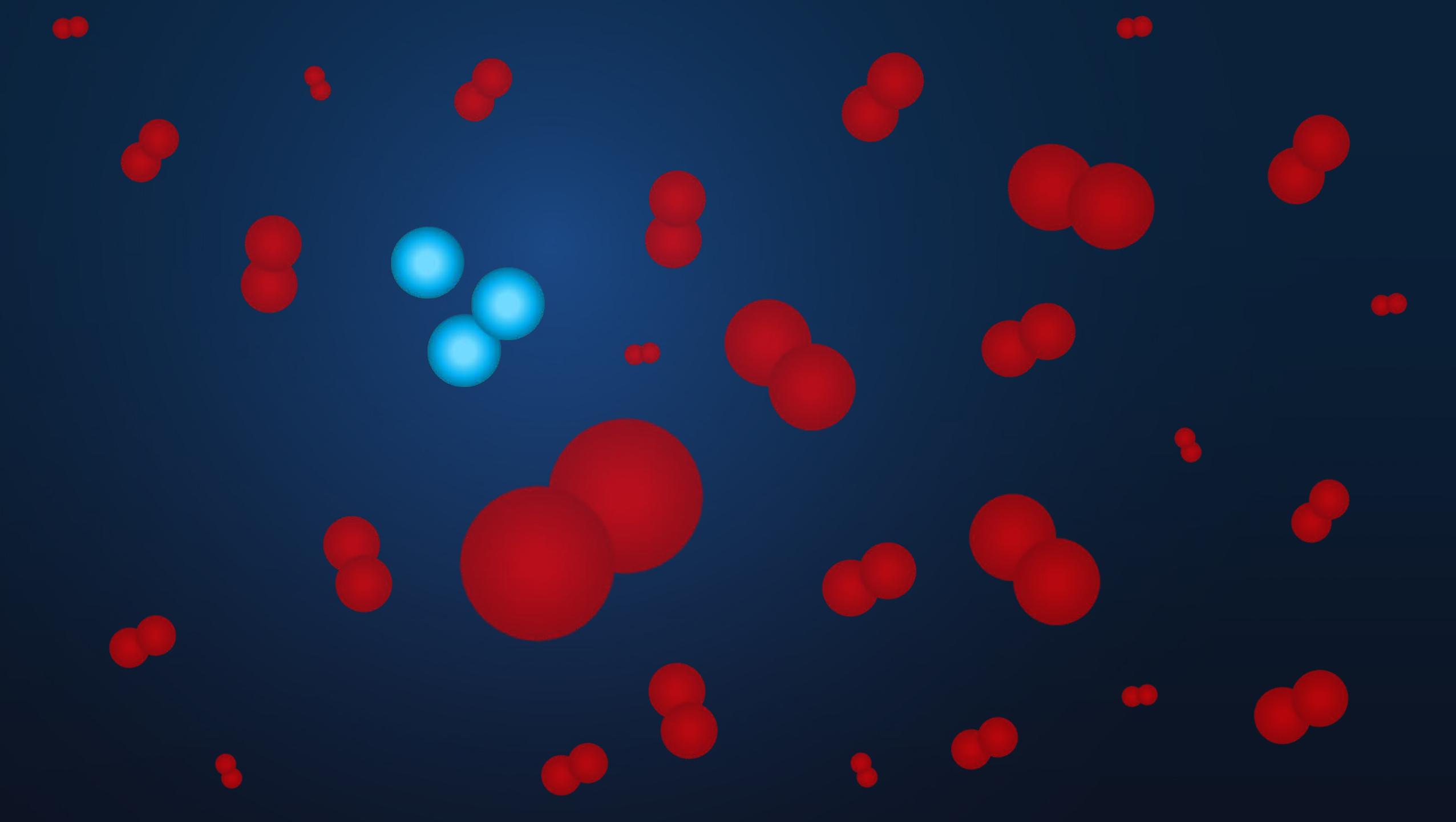


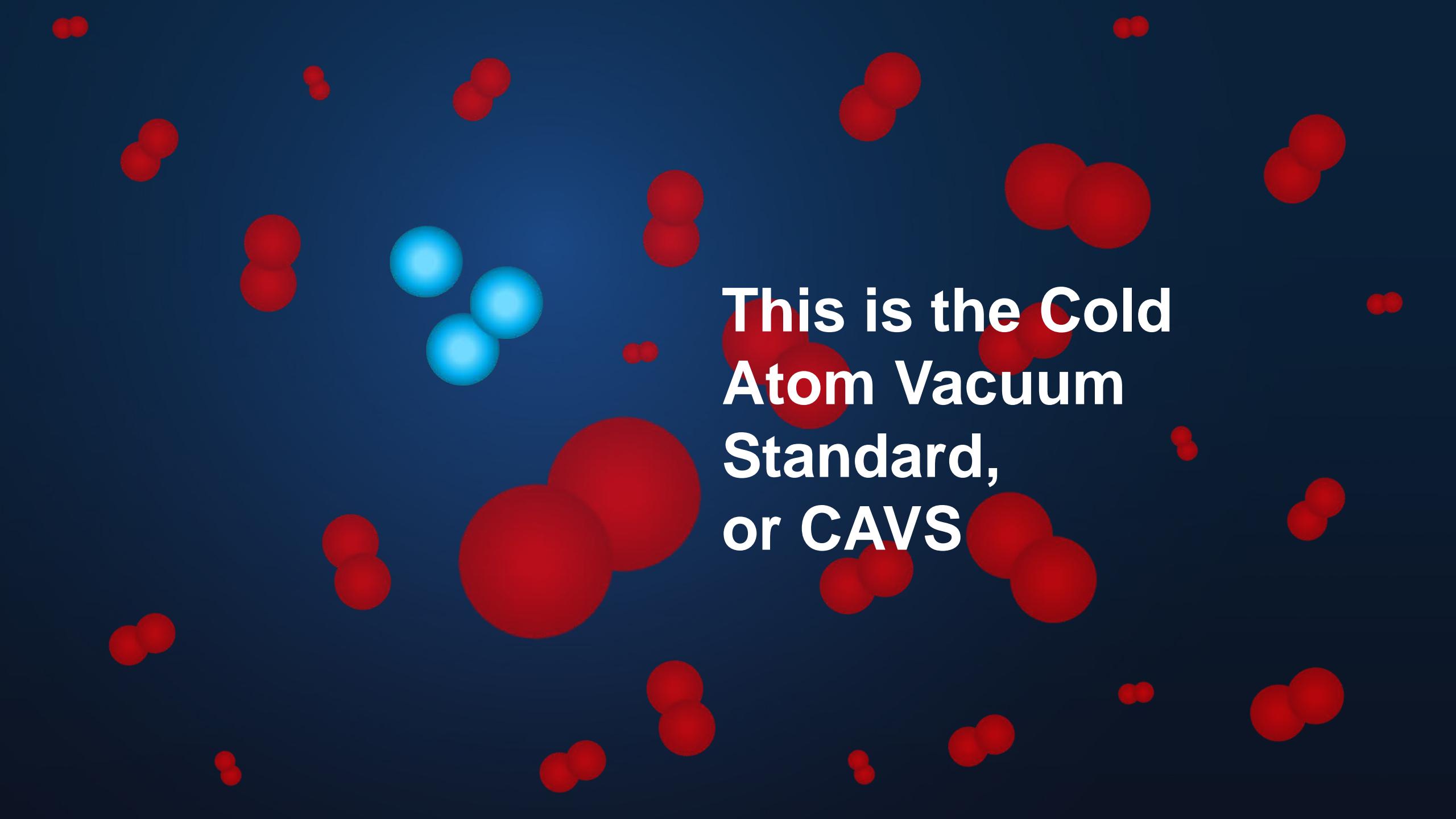






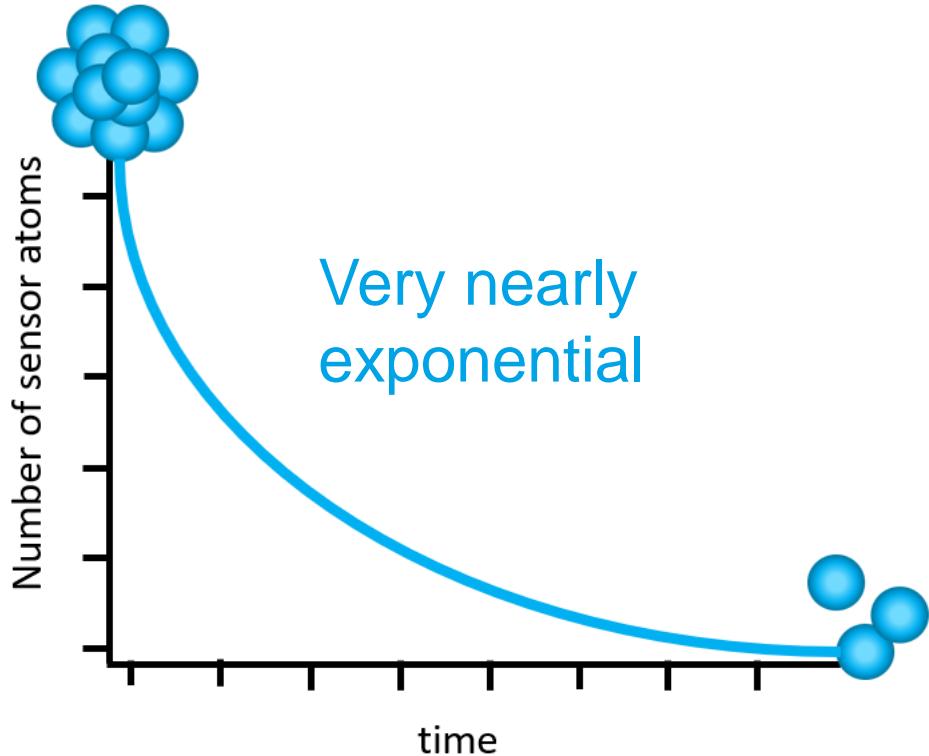






This is the Cold
Atom Vacuum
Standard,
or CAVS

Basis of the technique



Counting collisions

How collisional loss rate gives us pressure

$$\frac{dN_s}{dt} = -\Gamma N_s + O(N_s^2) \rightarrow N_s(t) \approx N_0 e^{-\Gamma t}$$

$$\Gamma = n K_{loss}$$

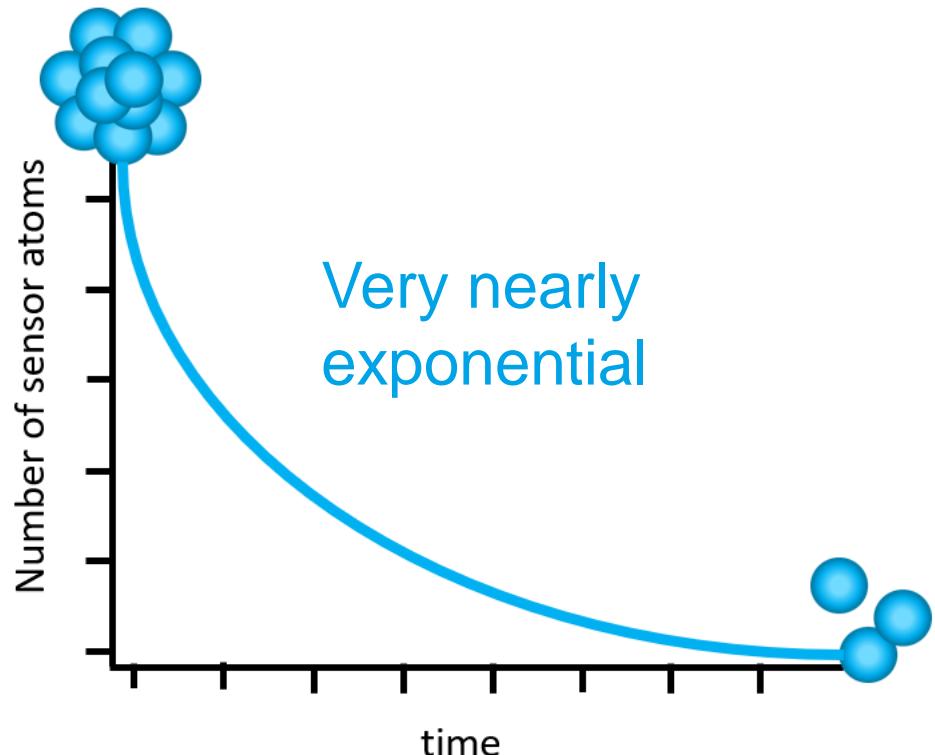
$$K_{loss} = \langle \sigma v \rangle$$

$$p = n k_B T$$



$$p = n k_B T = \frac{\Gamma}{K_{loss}} k_B T$$

Basis of the technique



Counting collisions

Contributions to Uncertainty

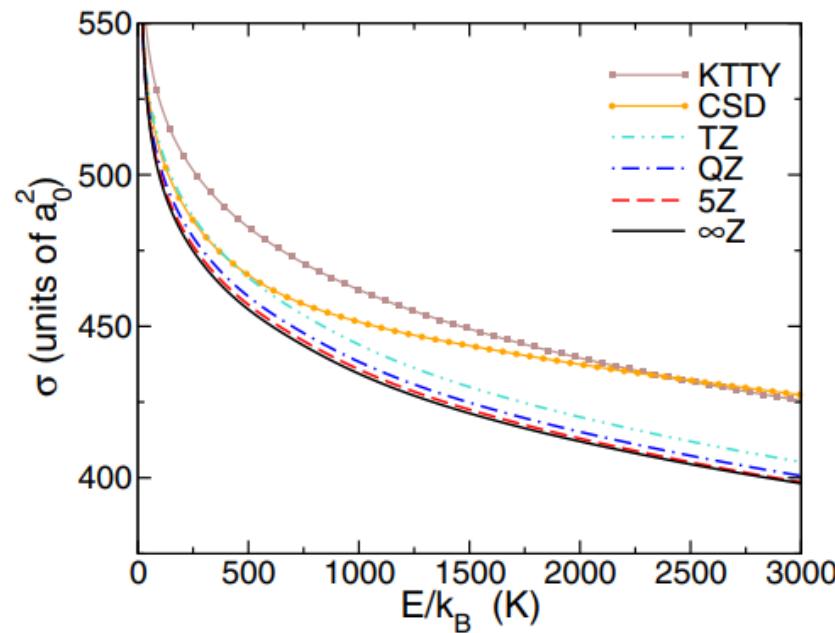
1. Glancing collision angle
2. Trap too shallow/deep
3. Multiple collisions
4. Non-adiabatic Spin Flips
5. Two- and three-body loss
6. Accuracy of imaging

Basis of the technique - theory

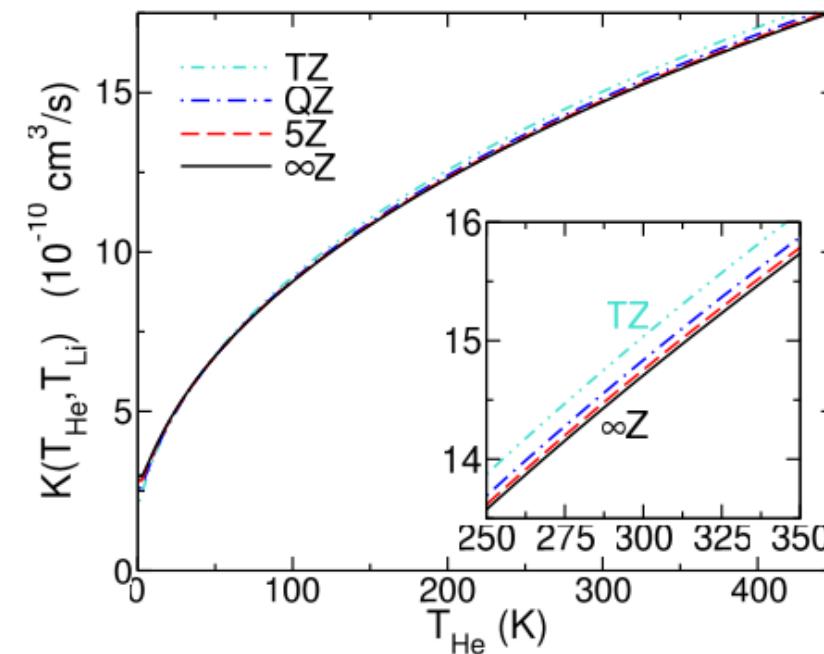
$$K = \langle v\sigma \rangle$$

Or, more precisely according to our theorist colleagues,

Cross sections are determined from numerical scattering state solutions of the single-channel Schrödinger equation.

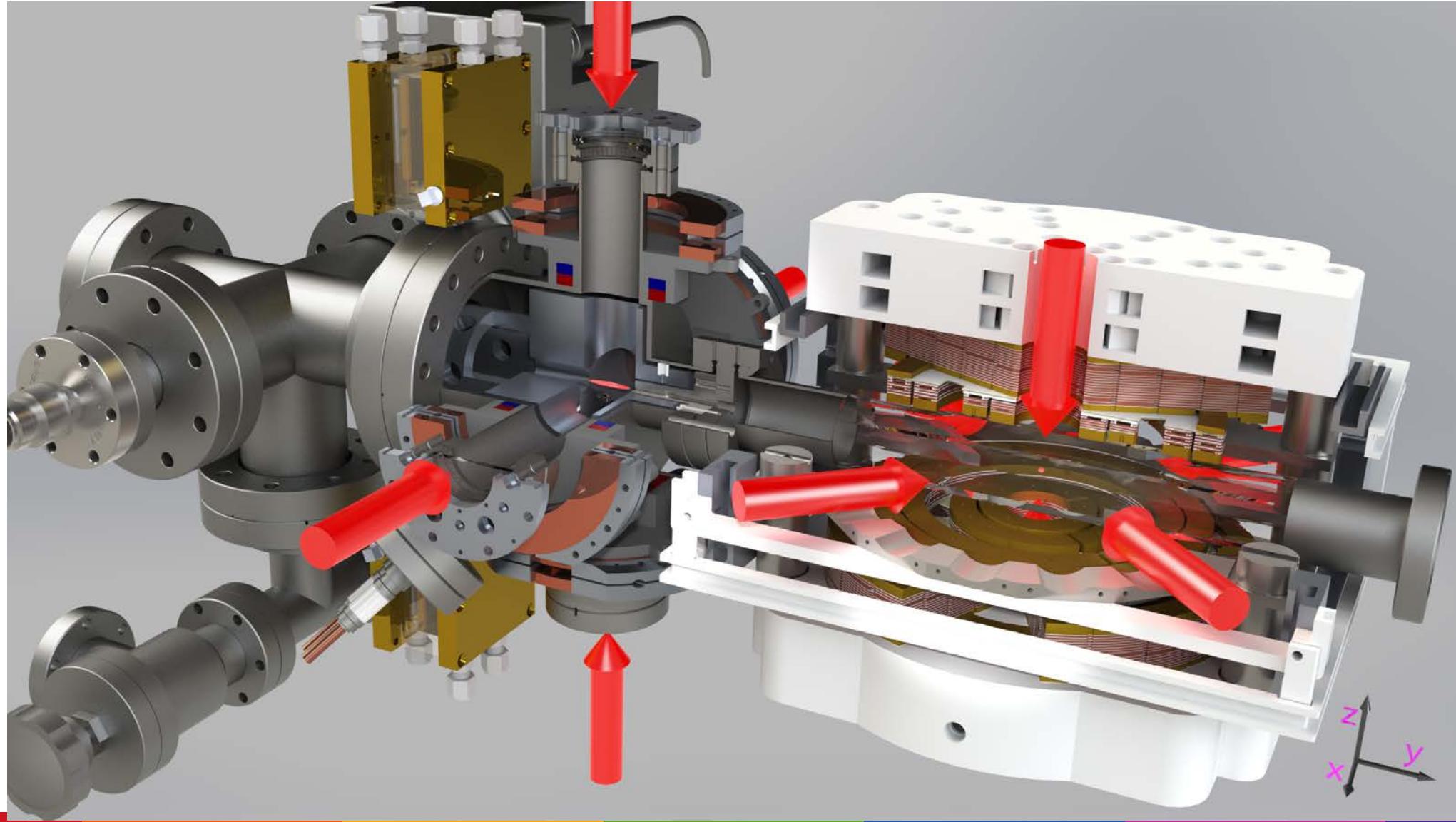


Then rate coefficients are found by integrating over Maxwell-Boltzmann distributions. (KTTY, CSD, TZ, etc are different potentials, $T_{Li} = 1$)



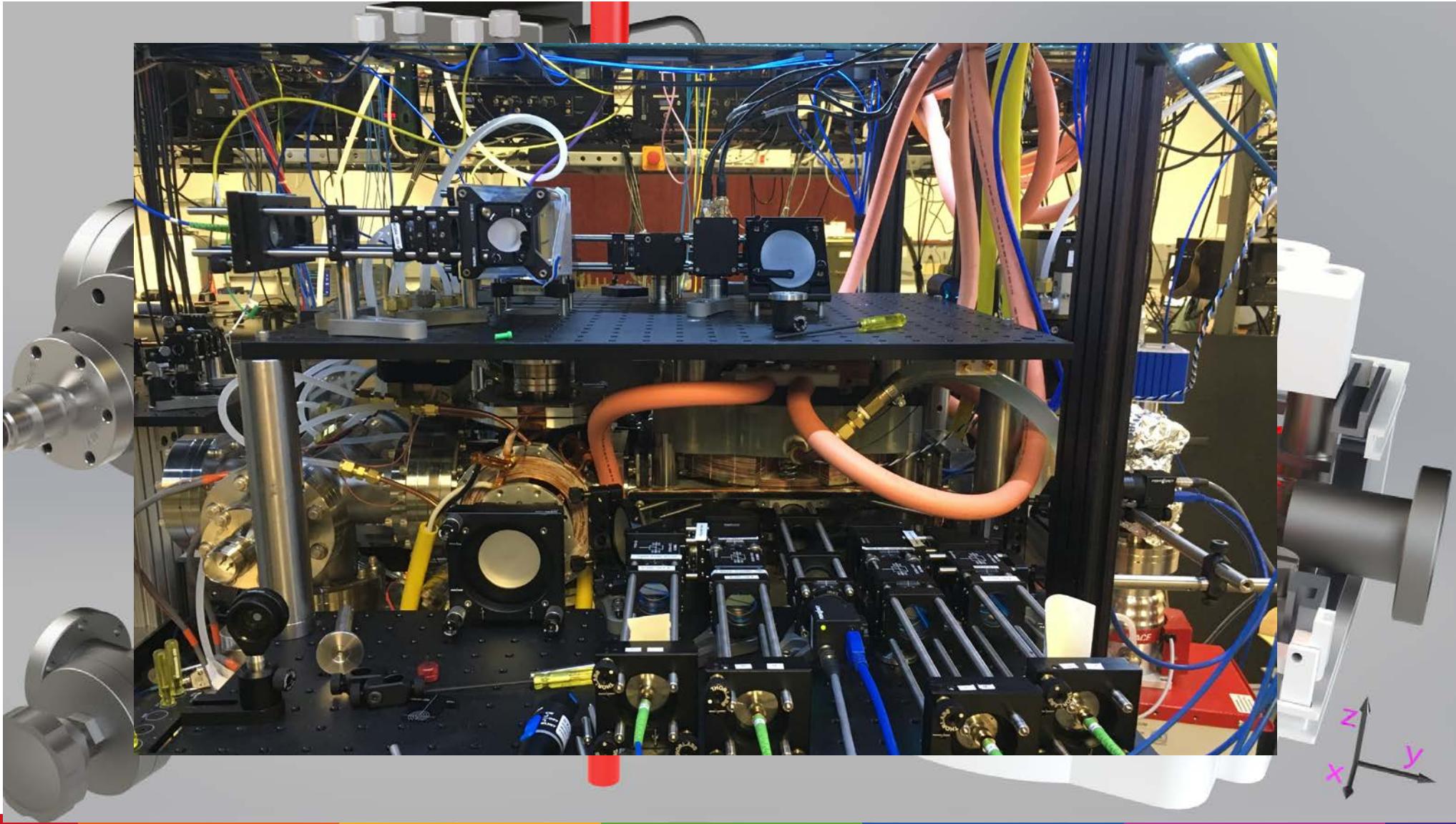
Basis of the technique – the atom apparatus

CCM



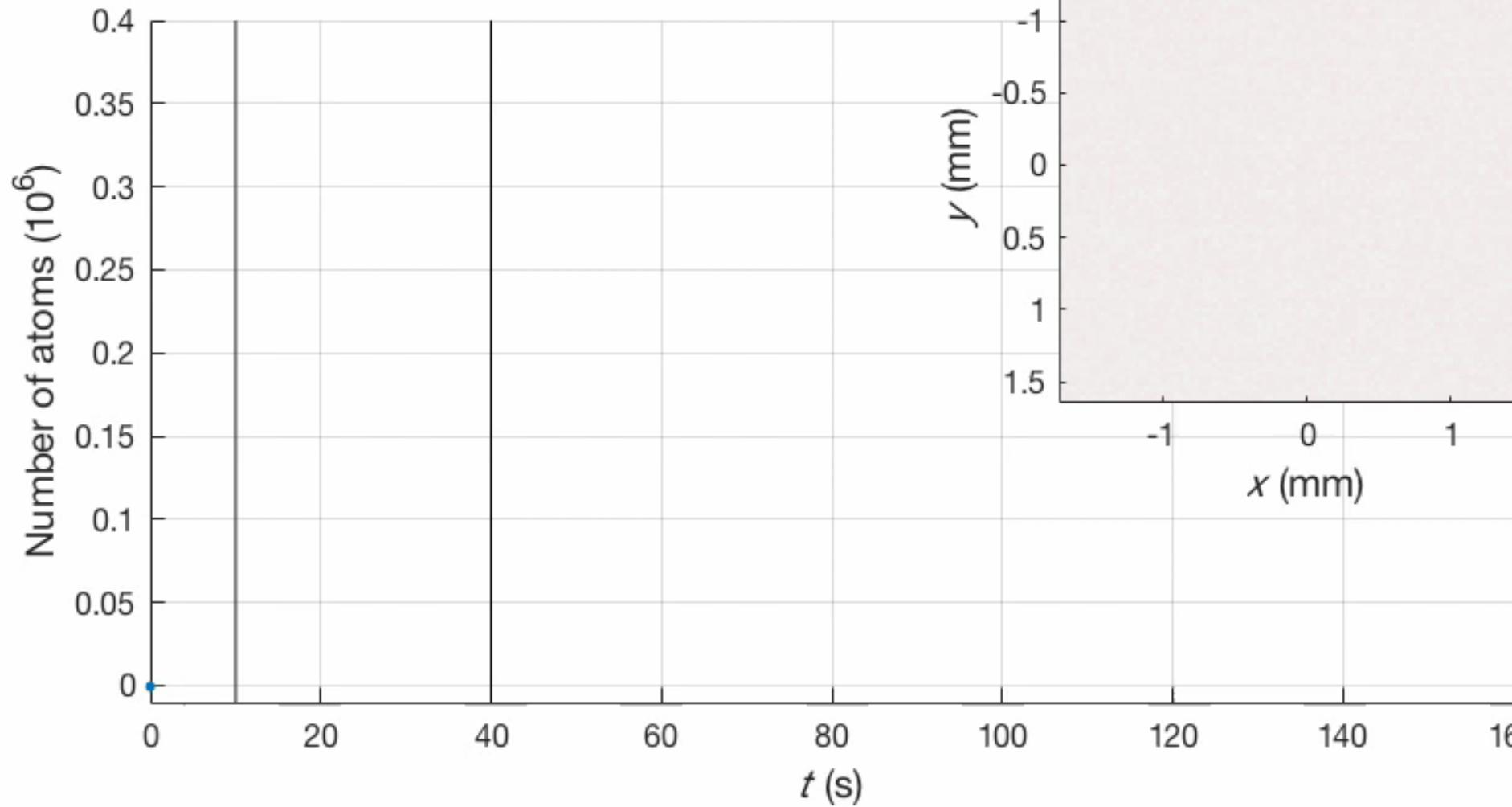
Basis of the technique – the atom apparatus

CCM

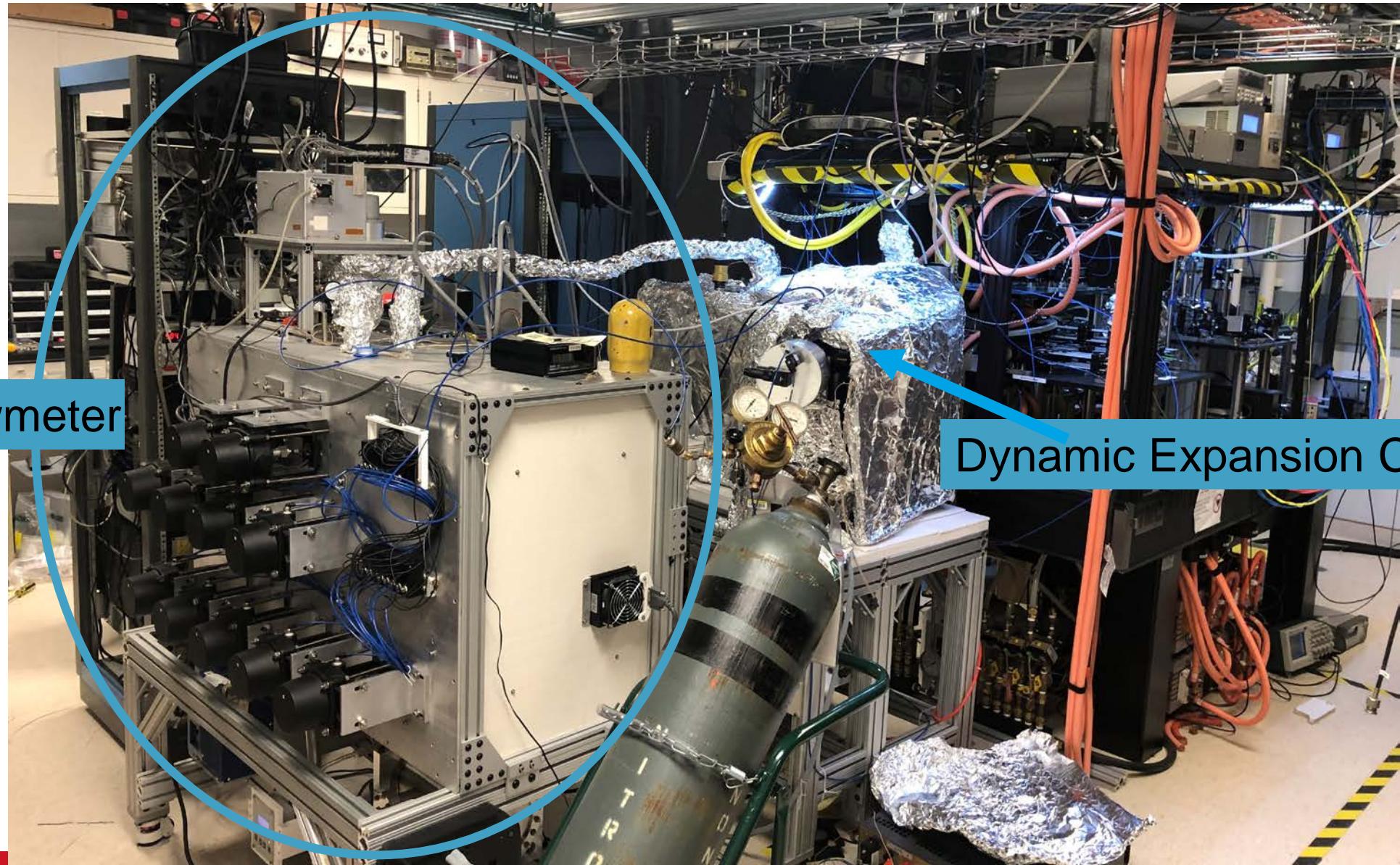


Basis of the technique

CCM



Basis of the technique – the vacuum apparatus



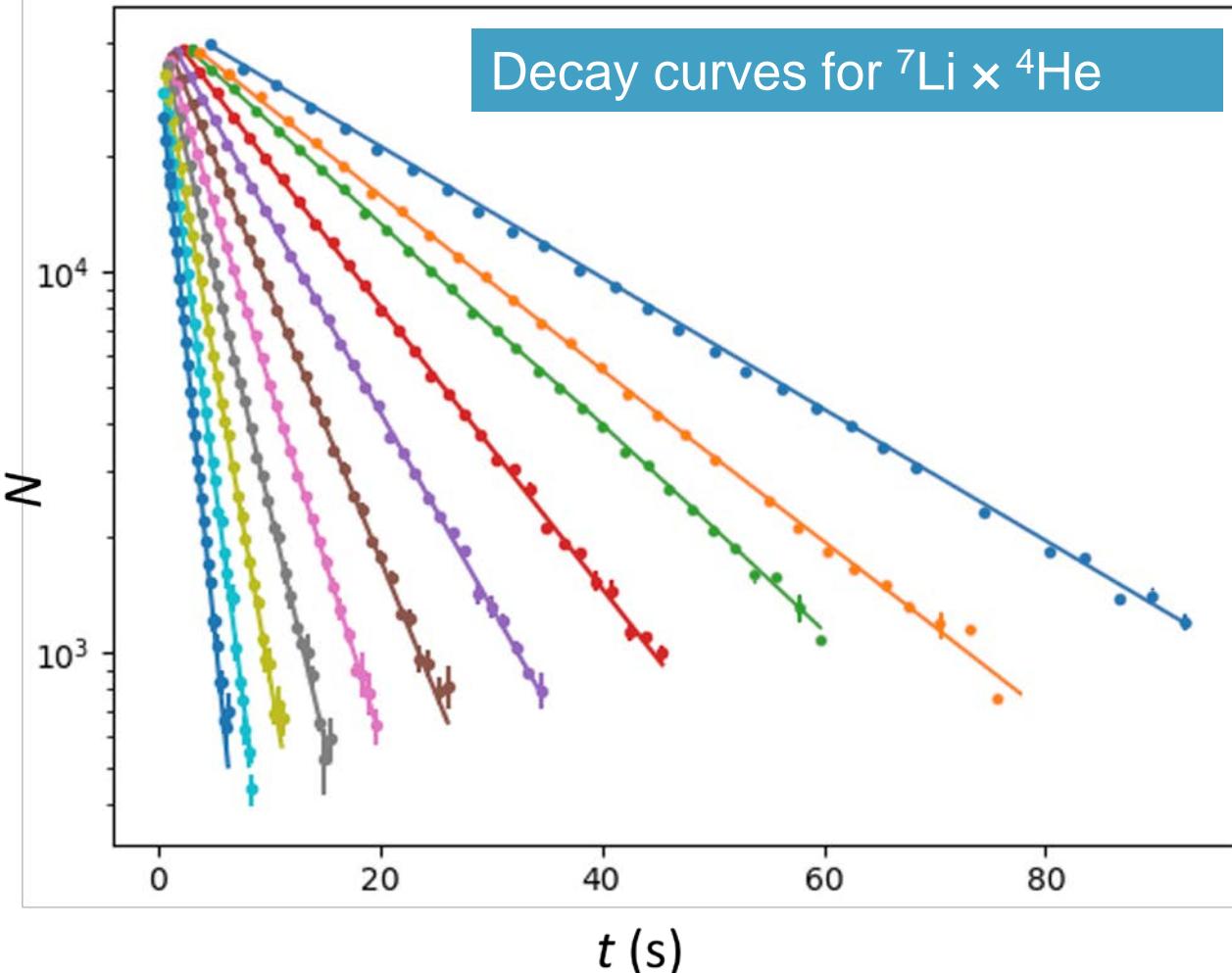
Does it work?



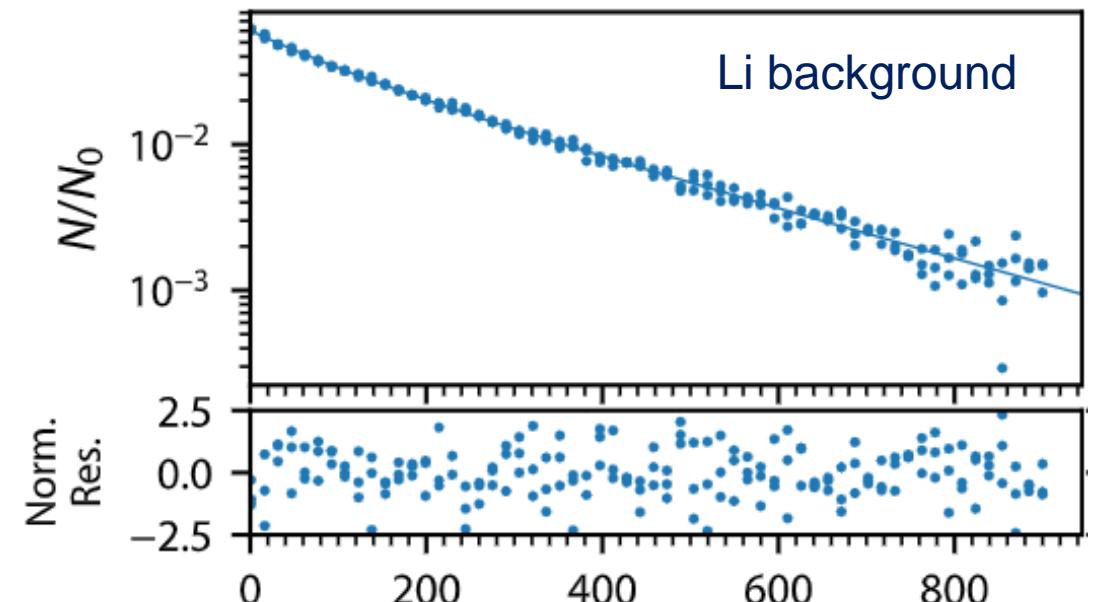
Theoretically predicted values for He \times Li:

species	K_{loss} (cm 3 /s)
${}^4\text{He}$ and ${}^6\text{Li}$	$1.655(15) \times 10^{-9}$
${}^4\text{He}$ and ${}^7\text{Li}$	$1.659(15) \times 10^{-9}$

Does it work?



$$\dot{n} = -(K_{\text{gas}} + \Gamma_0)n + K_2 n^2 + K_3 n^3$$

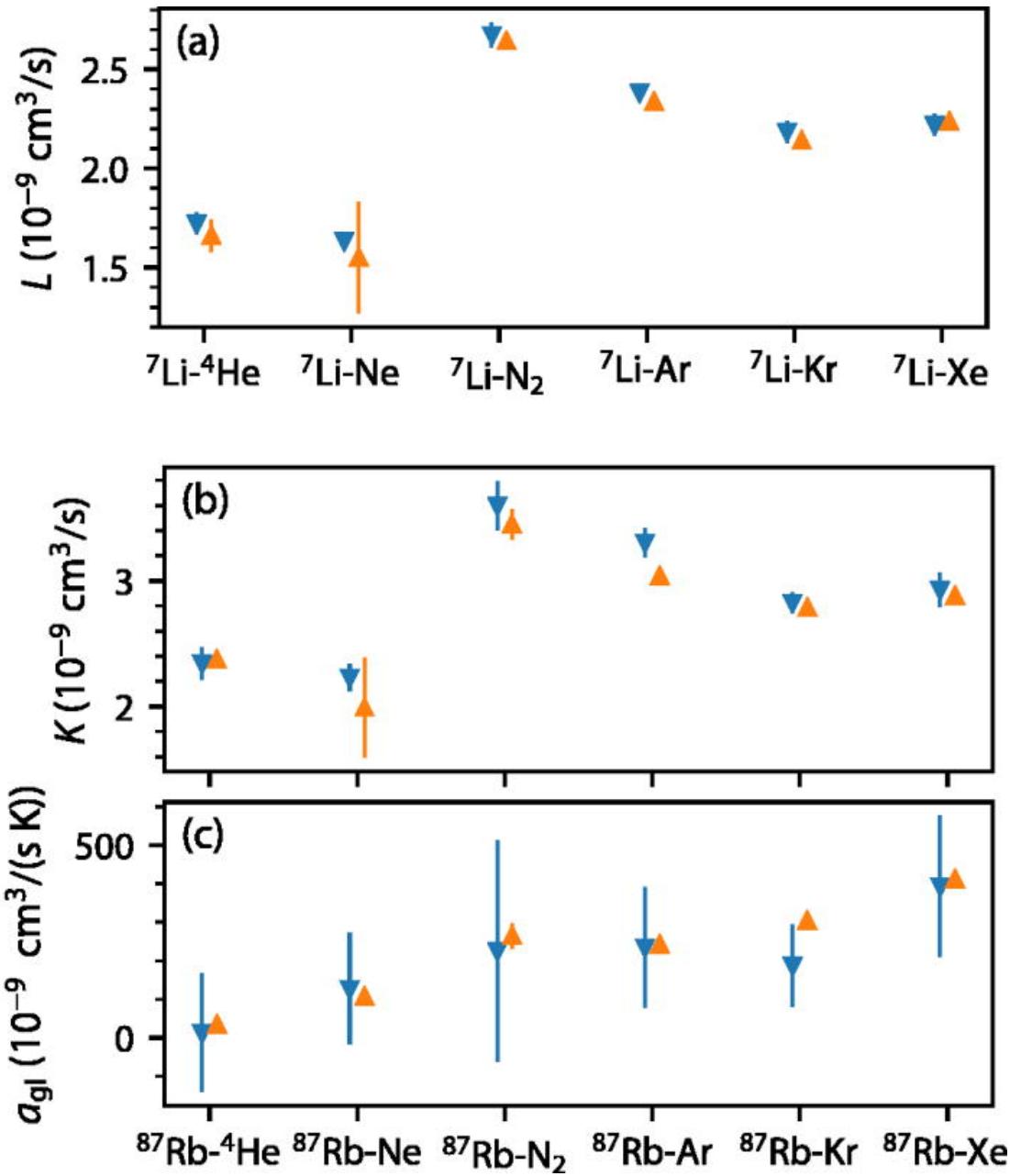


Does it work?

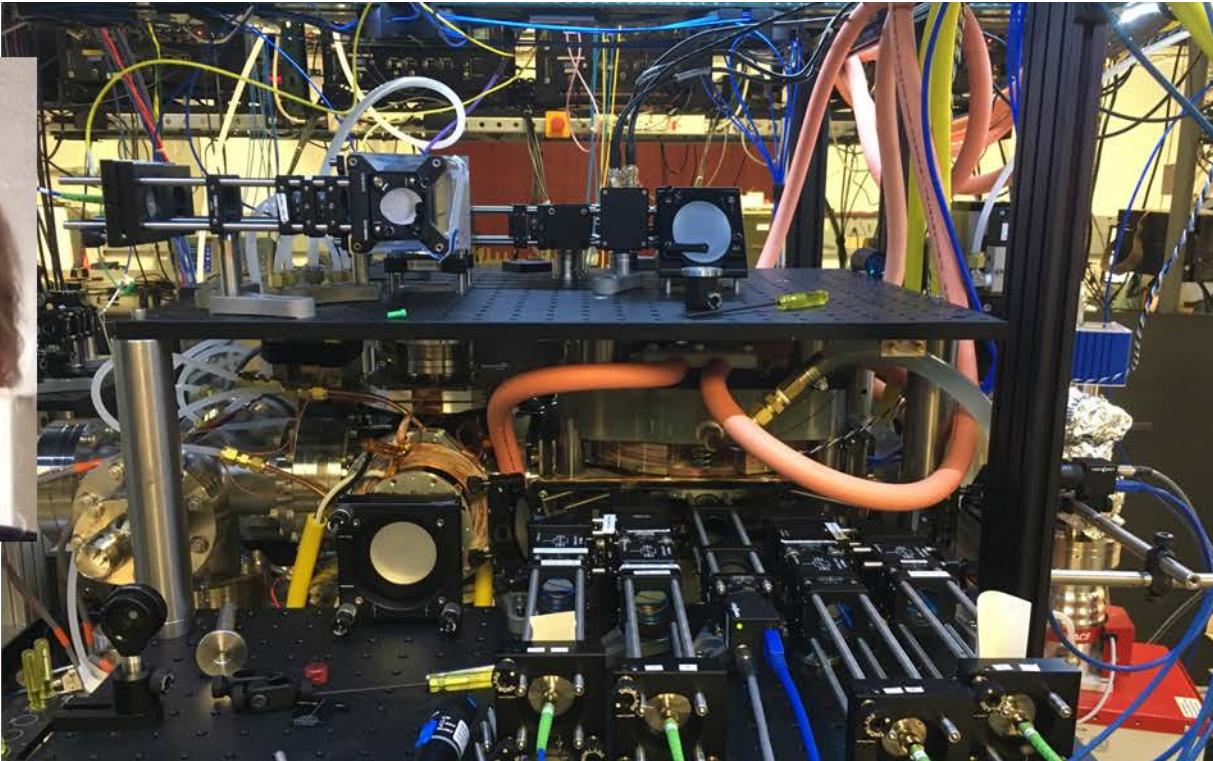
Setting a known pressure using traditional methods allows a test of the method in which

Experimental (blue downward triangles) &
Theoretical (orange upward triangles)

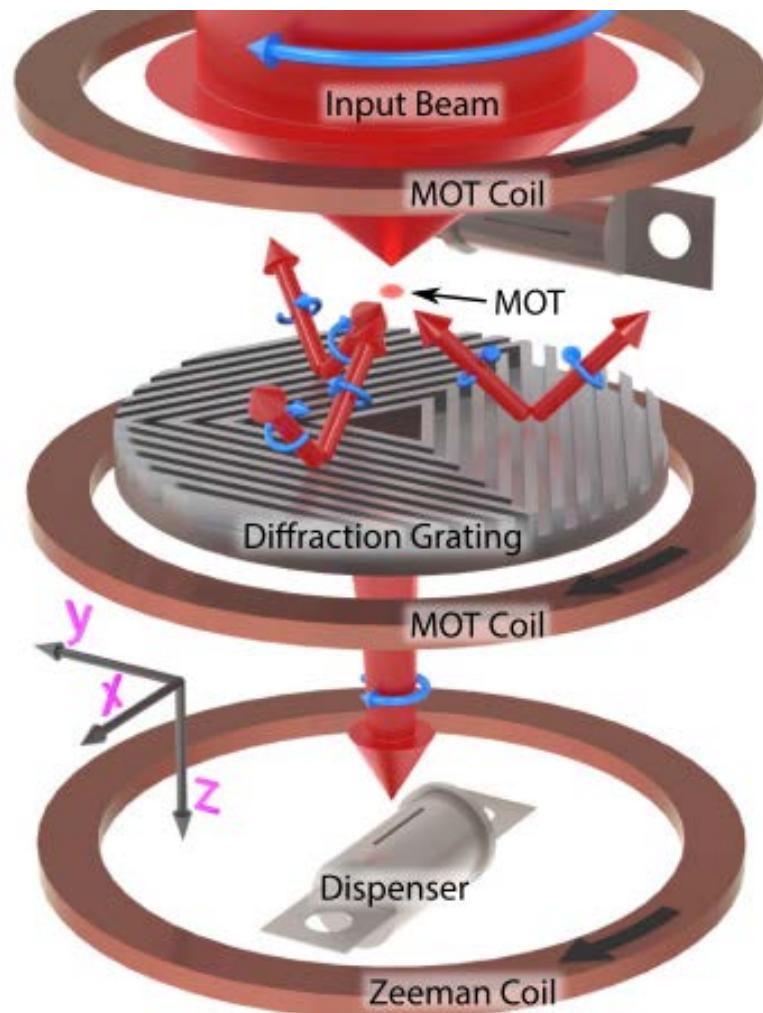
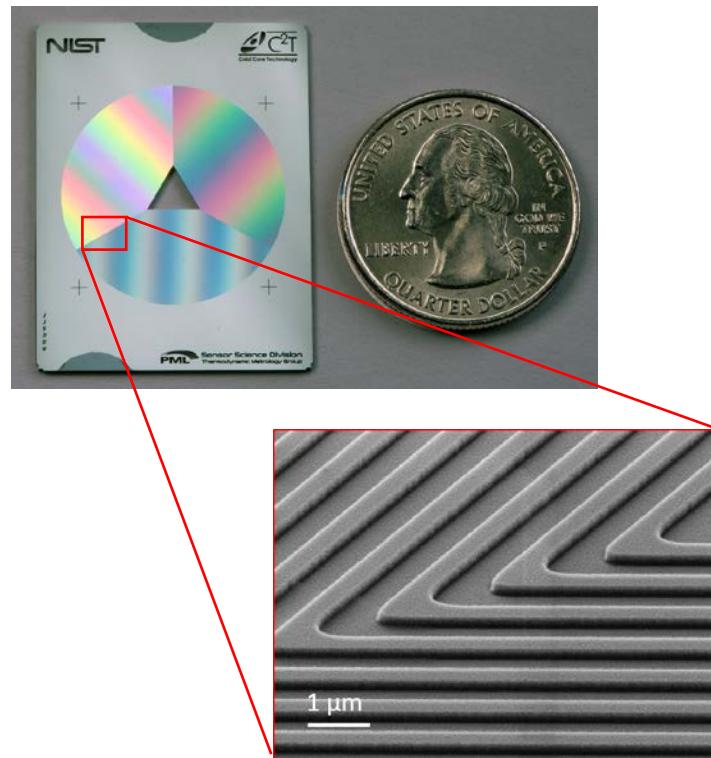
values of the rate coefficient of various collisions are be compared.



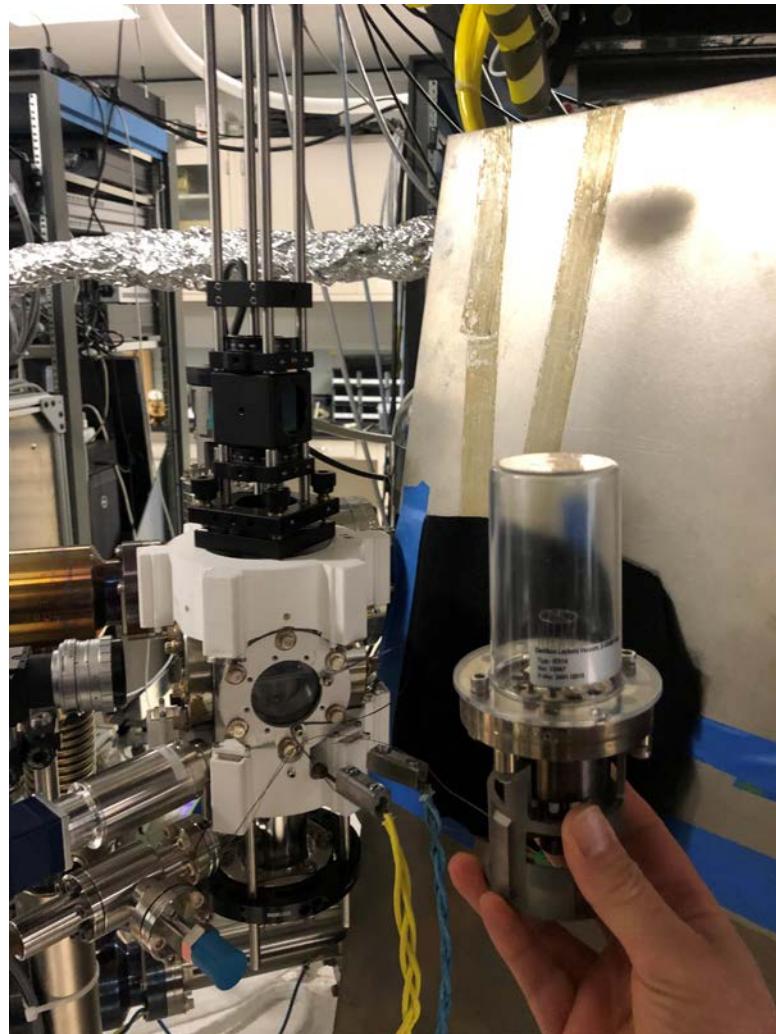
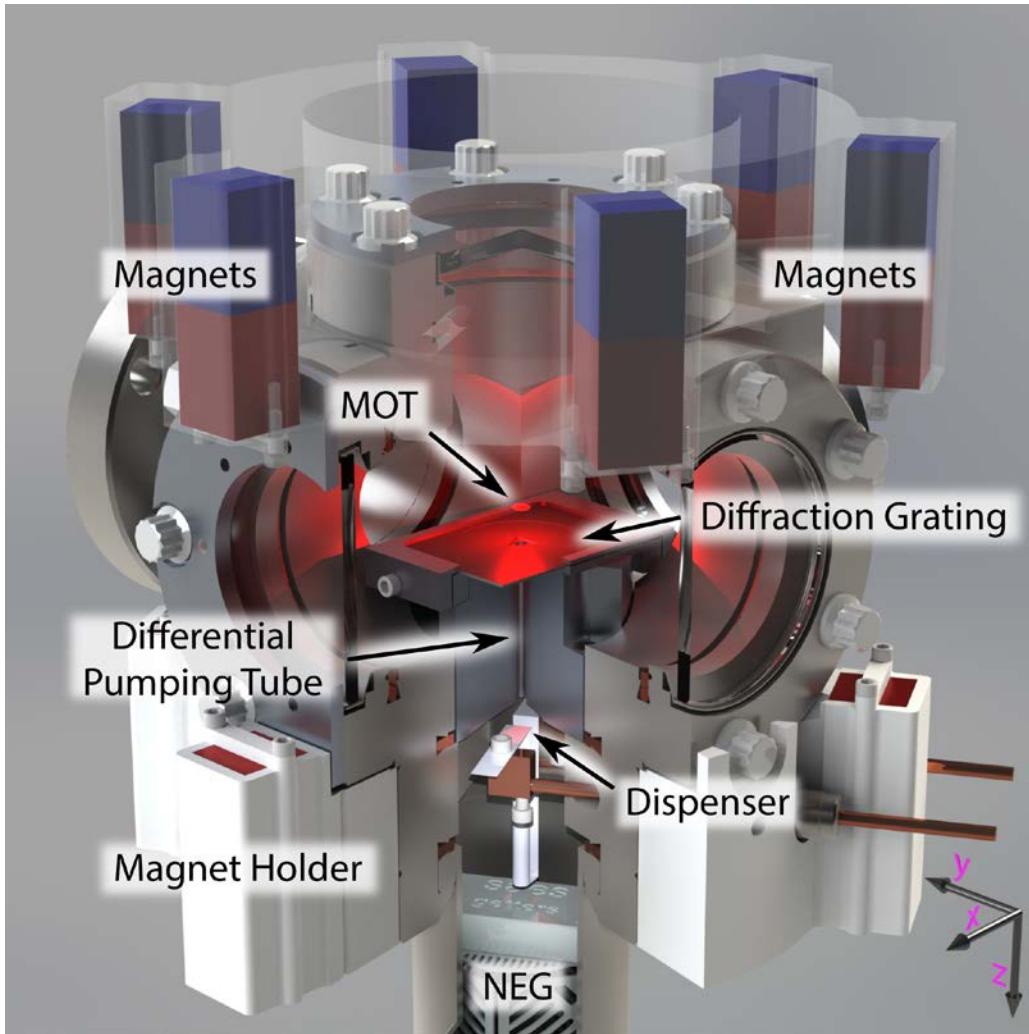
How to make it practical



How to make it practical



How to make it practical



How to make it practical



Uncertainty budget ($k = 1$) for the pCAVS compact device in the range 10^{-6} Pa to 10^{-9} Pa

Contribution/source	Pressure independent	Pressure dependent
Rate coefficient, K_{H_2}		$0.019p$
Temperature, T		$0.005p$
Glancing fraction, f_{gl}		$1.7 \times 10^{-3}p$
Majorana losses, Γ_{other}	0.33 nPa	
Statistical, Γ	0.39 nPa	
Total variance	$(0.51 \text{ nPa})^2 + (0.020p)^2$	

Conclusions/Outlook



It works to about 1%, it's practical, but it's expensive. Market will be limited.

Outlook depends on laser technology, if the lasers get less expensive then this may become a viable product.

Next steps are to verify hydrogen cross-sections, and perform comparisons.



Thank you.

julia.s@nist.gov

Ehinger et. al. AVS QuantumSci. 4, 034403 (2022);
Eckel et. al. Phys. Rev. A **111**, 023317;
Barker et. al. AVS Quantum Sci. 5, 035001 (2023);
Barker et. al. *Rev. Sci. Instrum.* 93, 121101 (2022);
Markides et. al., Phys Rev A **101**, 012702 (2022);
Scherschligt et. al. *J. Vac. Sci. Technol. A* 36, 040801 (2018)

doi: 10.1116/5.0095011
doi: 10.1103/PhysRevA.111.023317
doi: 10.1116/5.0147686
doi: 10.1063/5.0120500
doi: 10.1103/PhysRevA.101.012702
doi: 10.1116/1.5033568