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Monte Carlo simulations of output correction factors in the presence of magnetic field in MRI linacs using Penelope

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Extension of TRS-483 formalism for output factors (OF) in small fields

$$D_{w,Q_{clin}}(S_{eq}) = M_{Q_{clin}}(S_{eq}) \cdot N_{D,w,Q_0} \cdot k_{Q_{msr},Q_0}^{f_{msr},f_{ref}} \cdot k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq})$$

$$D_{w,Q_{msr}}(S_{eq,msr}) = M_{Q_{msr}} \cdot N_{D,w,Q_0} \cdot k_{Q_{msr},Q_0}^{f_{msr},f_{ref}}$$

:

$$OF(S_{eq}) = \frac{D_{w,Q_{clin}}(S_{eq})}{D_{w,Q_{msr}}(S_{eq,msr})} = ROF(S_{eq}) \cdot k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq})$$

Legend

Readings

Calibration coefficient

k_Q factor

Output correction factor

kB factor

Extension of TRS-483 formalism for output factors (OF) in small fields

$$D_{w,Q_{clin}}(S_{eq}, B) = M_{Q_{clin}}(S_{eq}, B) \cdot N_{D,w,Q_0} \cdot k_{Q_{msr}, Q_0}^{f_{msr}, f_{ref}} \cdot k_{Q_{clin}, Q_{msr}}^{f_{clin}, f_{msr}}(S_{eq}) \cdot k_{\vec{B}, Q_{clin}}(S_{eq})$$

$$D_{w,Q_{msr}}(S_{eq,msr}, B) = M_{Q_{msr}}(B) \cdot N_{D,w,Q_0} \cdot k_{Q_{msr}, Q_0}^{f_{msr}, f_{ref}} \cdot k_{\vec{B}, Q_{msr}}$$

:

$$OF(S_{eq}, B) = \frac{D_{w,Q_{clin}}(S_{eq}, B)}{D_{w,Q_{msr}}(S_{eq,msr}, B)} = ROF(S_{eq}, B) \cdot k_{Q_{clin}, Q_{msr}}^{f_{clin}, f_{msr}}(S_{eq}) \cdot \frac{k_{\vec{B}, Q_{clin}}(S_{eq})}{k_{\vec{B}, Q_{msr}}}$$

Legend

Readings

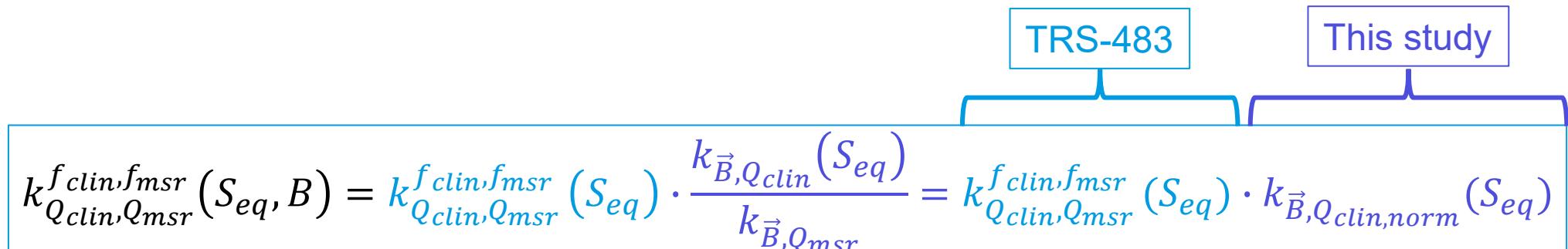
Calibration coefficient

k_Q factor

Output correction factor

k_B factor

Extension of TRS-483 formalism for output factors (OF) in small fields

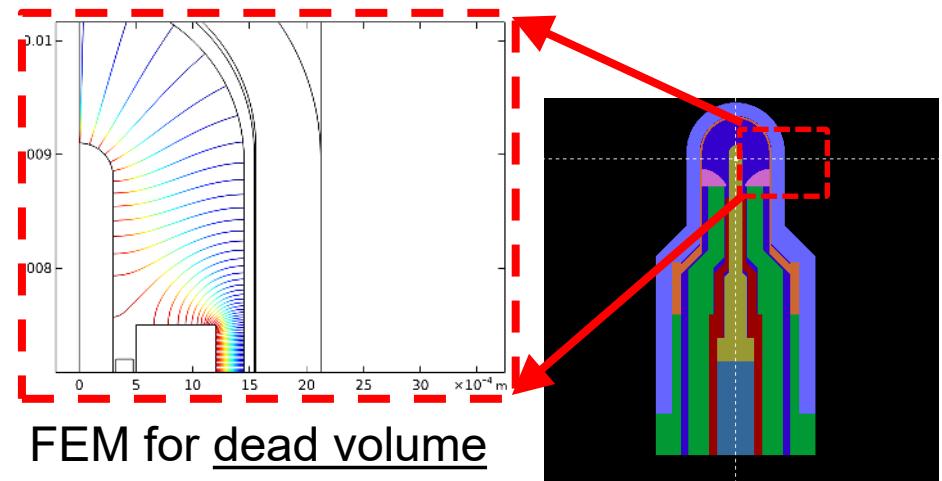

$$k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq}, B) = k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq}) \cdot \frac{k_{\vec{B},Q_{clin}}(S_{eq})}{k_{\vec{B},Q_{msr}}} = k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq}) \cdot k_{\vec{B},Q_{clin},norm}(S_{eq})$$

Purpose

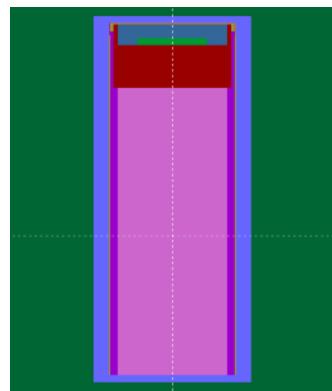
To calculate output correction factors for small field dosimetry in MR-linacs (i.e. with B present) using existing output correction factors determined according to TRS-483 (i.e. without B present)

Monte Carlo model for $k_{\vec{B},Q_{clin,norm}}(S_{eq})$

- PENELOPE 2014 with B-field implemented
- Geometry and materials defined based on manufacturer blueprints
 - Ion chamber PTW 31022
 - Diamond detector PTW 60019
- Sensitive volume is cavity volume – dead volume
- Dead volume determined with Finite Element Method (FEM)
- Phase Space files of Elekta Unity™ MRL for: 0.5, 0.7, 1.0, 1.2, 1.5, 2.0 and 10.0 cm field sides

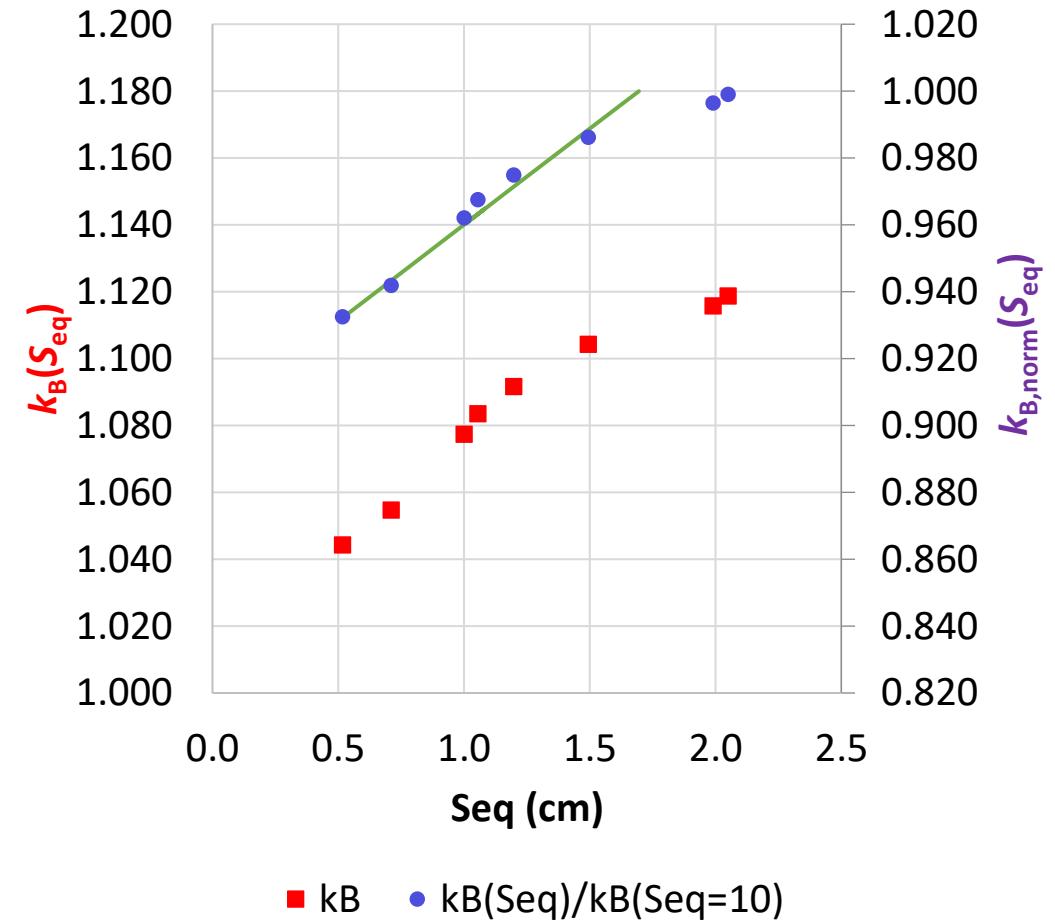
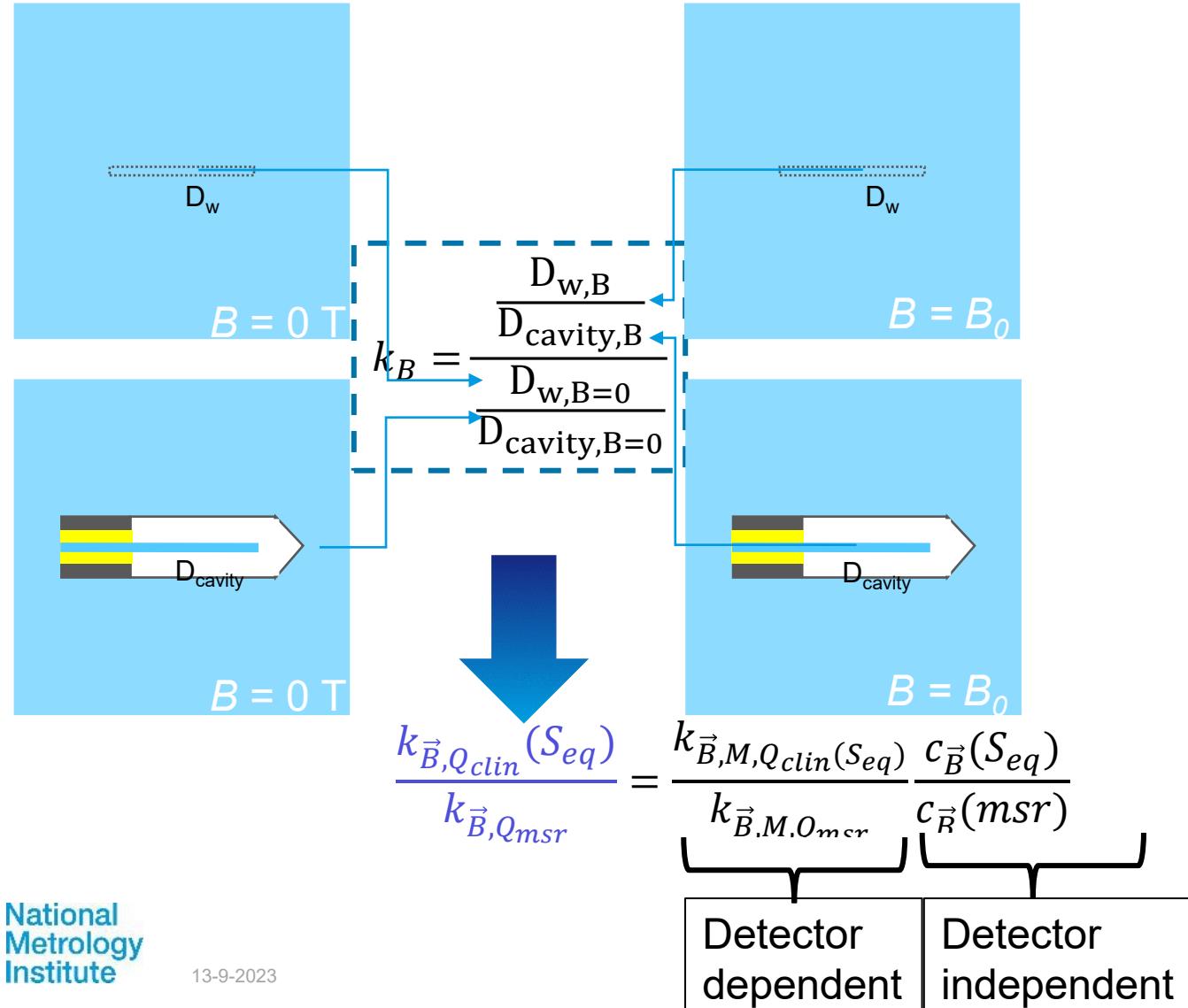


PTW 31022

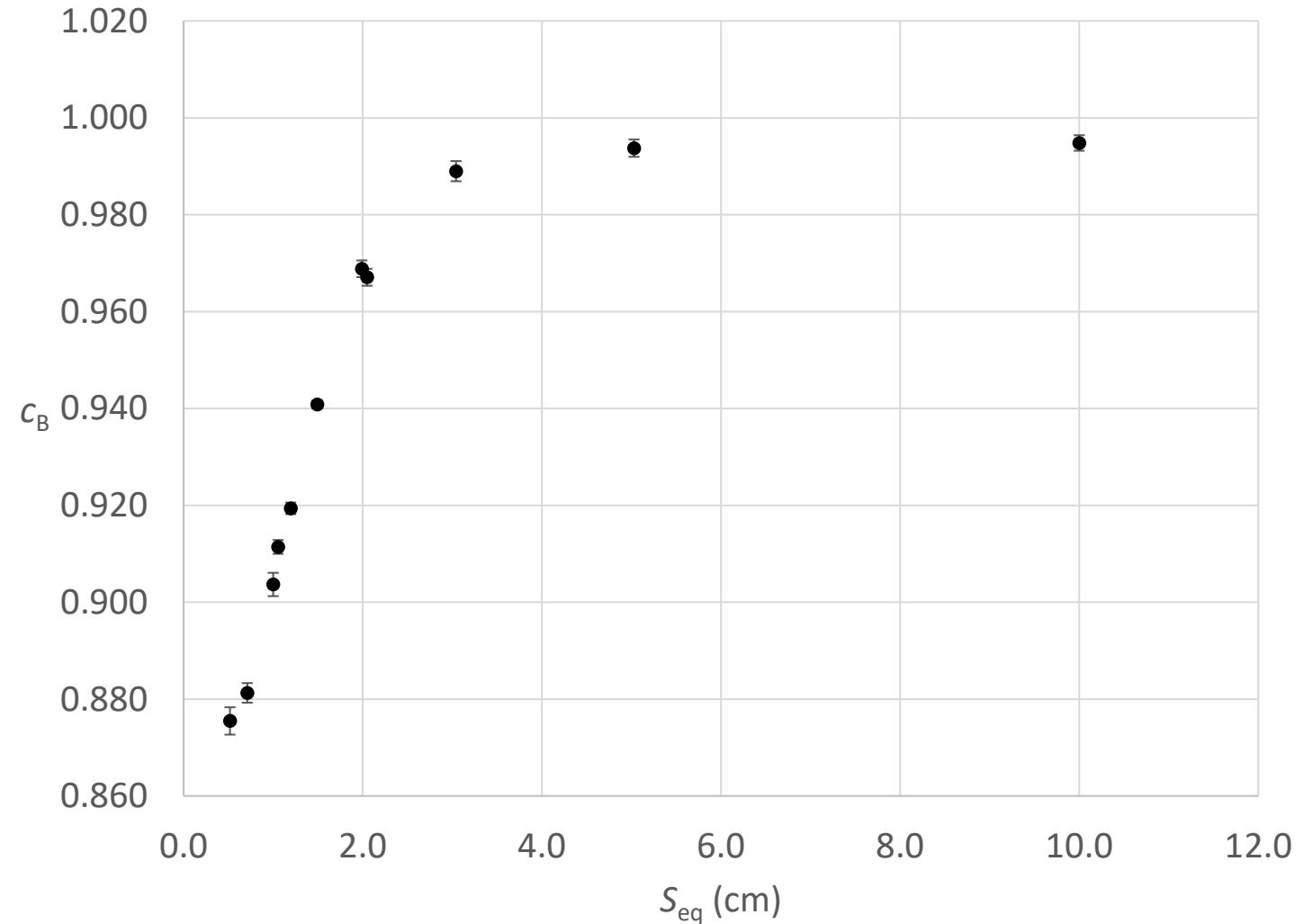


PTW 60019

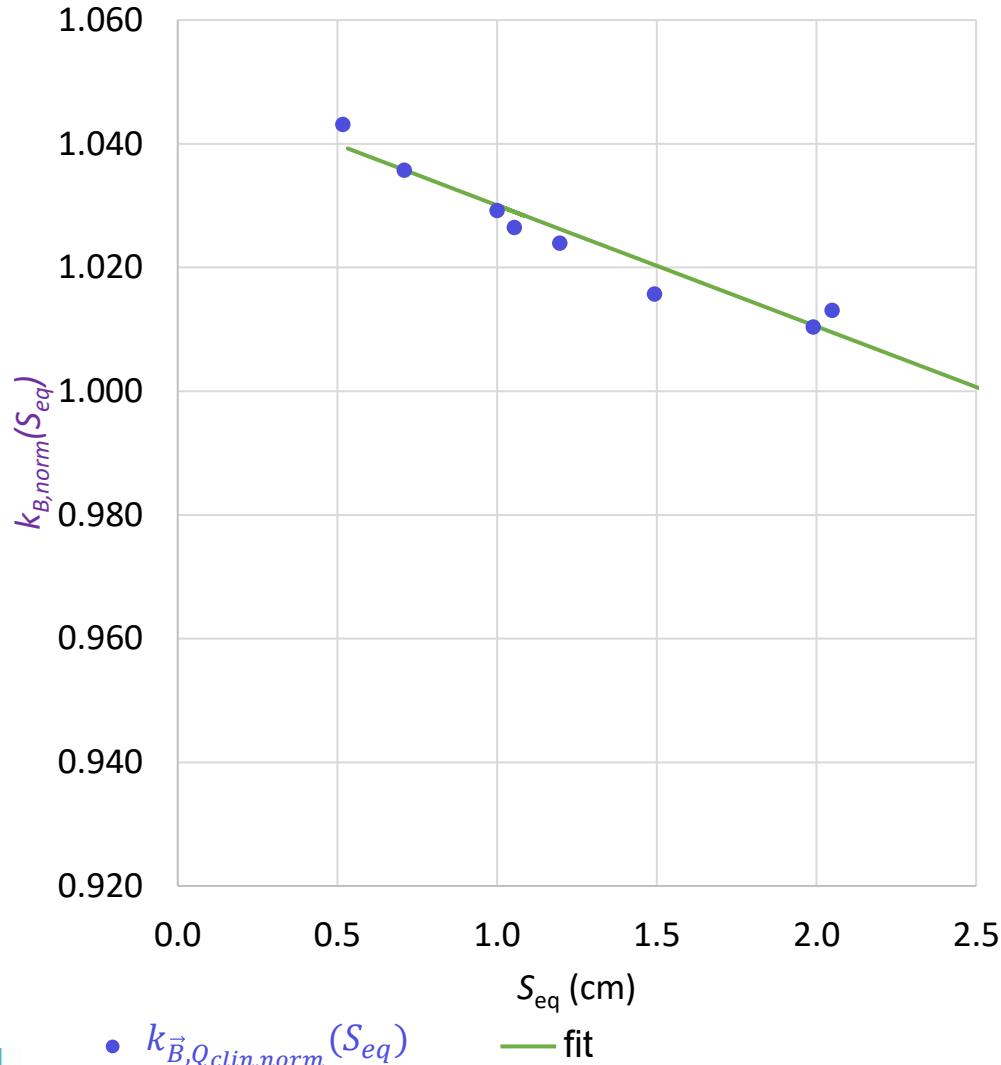
Simulation and fitting of $k_{\vec{B},Q_{clin,norm}}(S_{eq})$



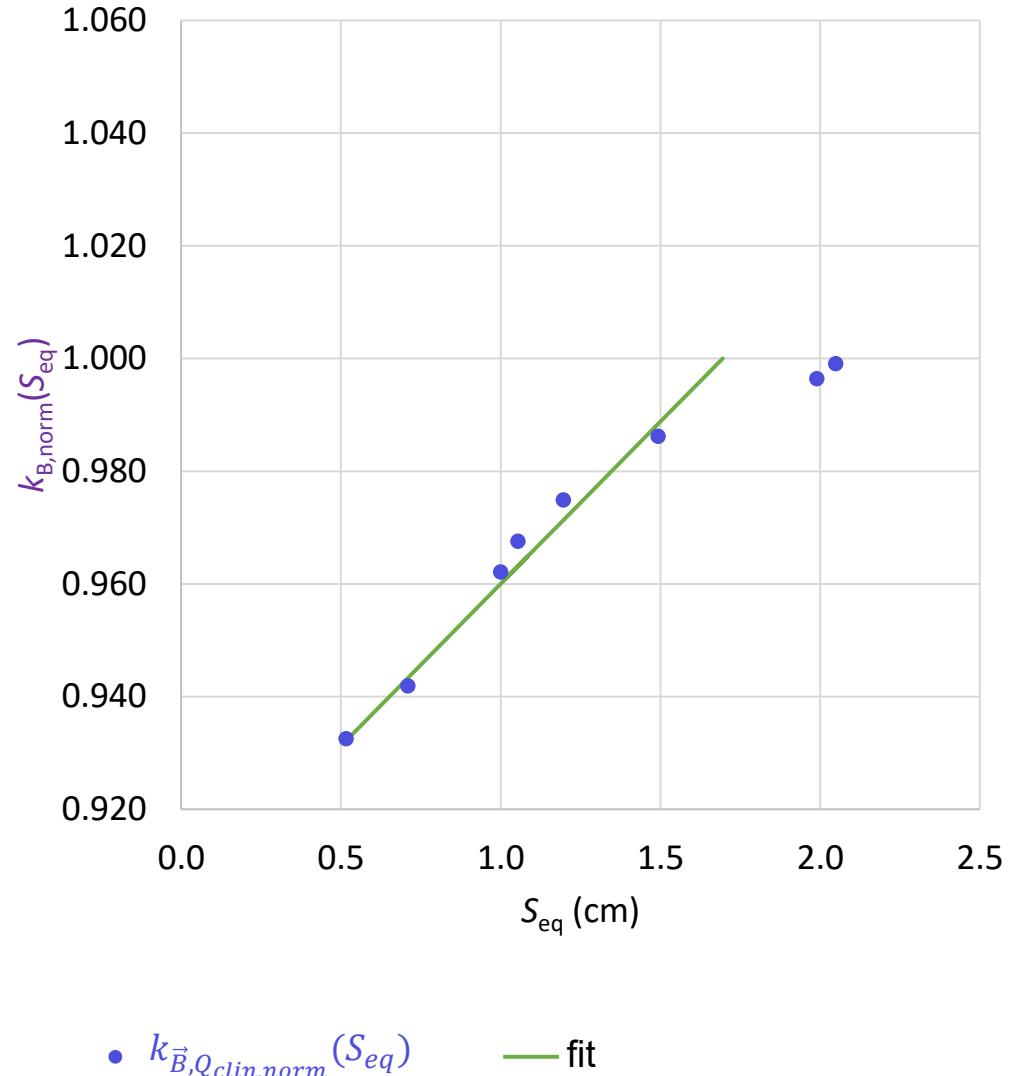
$k_{\vec{B},Q_{clin,norm}}(S_{eq})$: linear fit below threshold $S_{eq,0}$

c_B as a function of field size

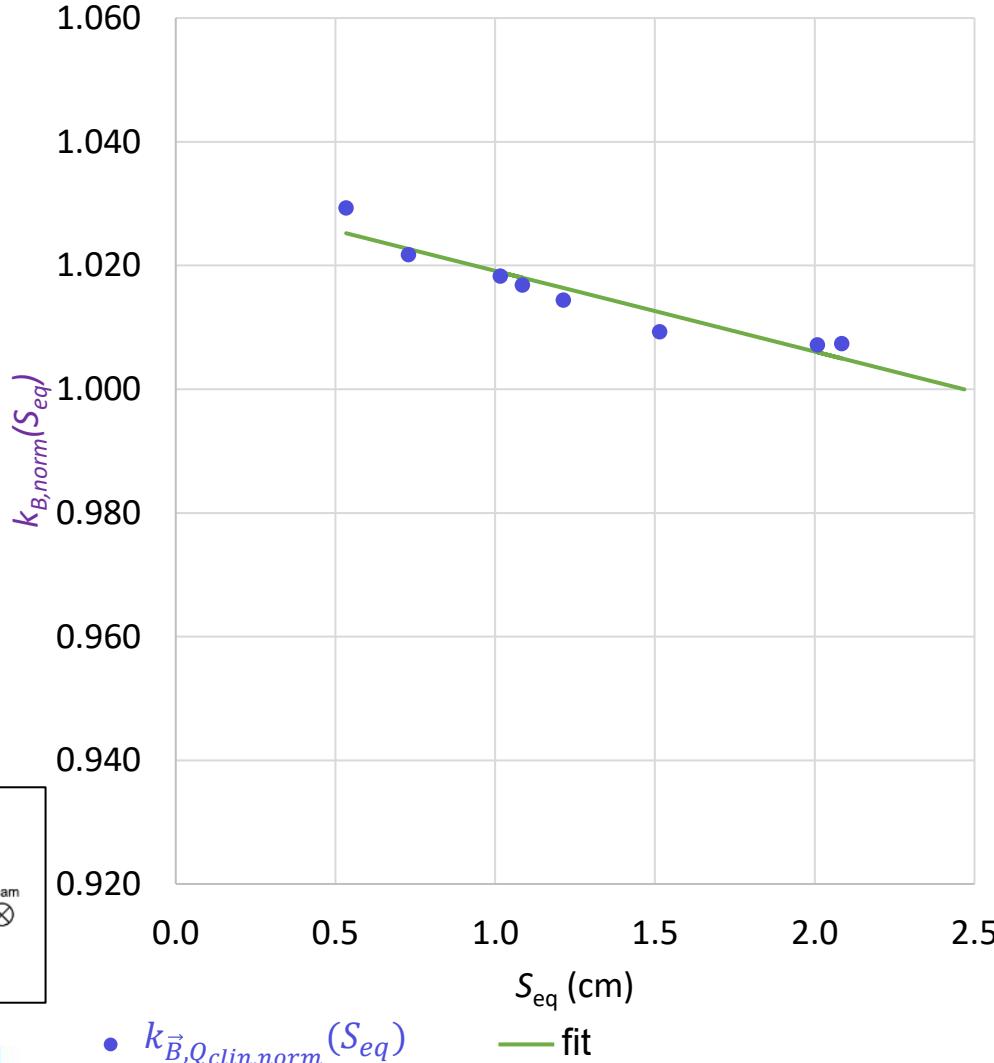
PTW 31022 axial



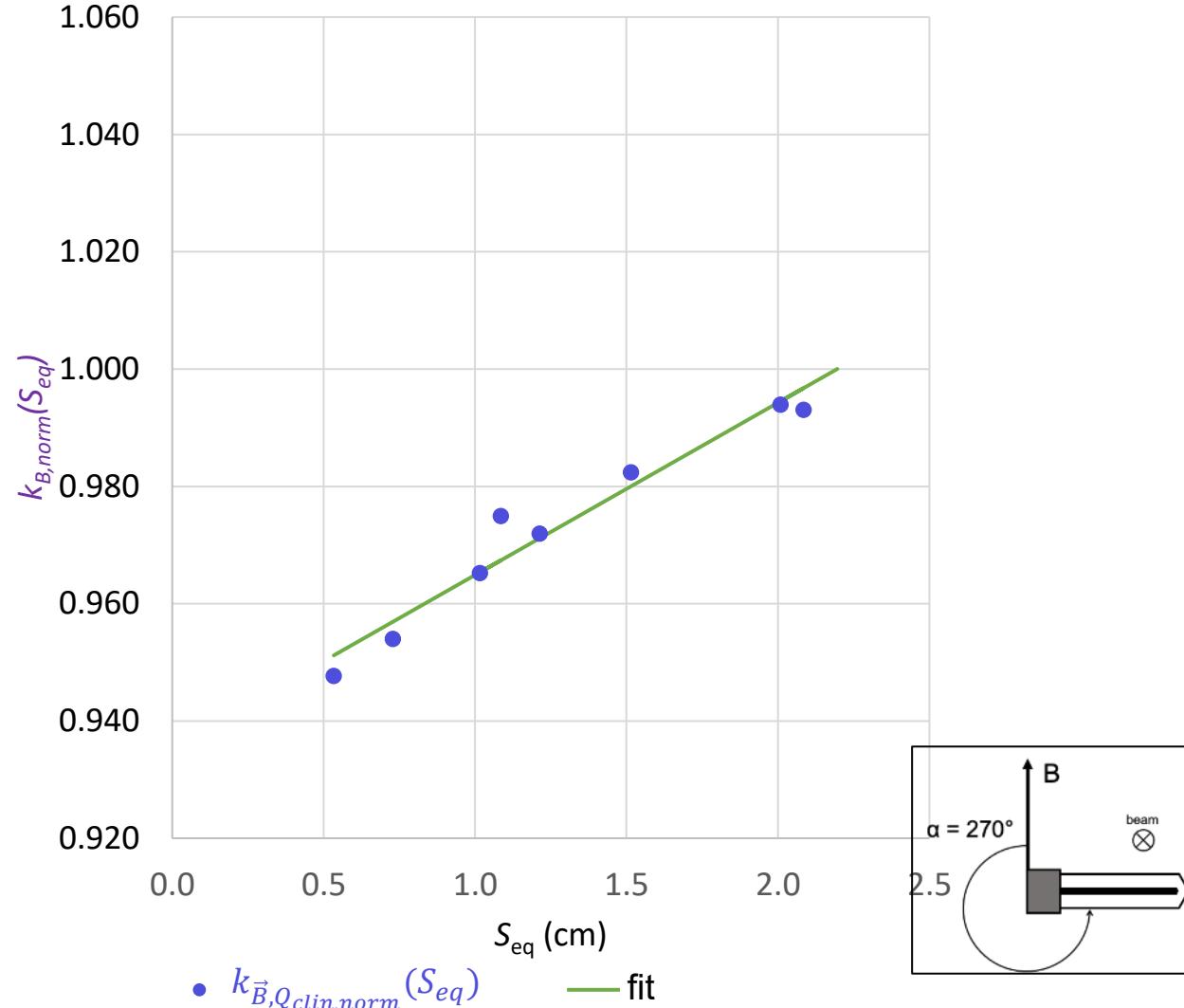
PTW 60019 axial



PTW 31022 parallel



PTW 31022 perpendicular



Measurements of output factors (OF) and uncertainty evaluation

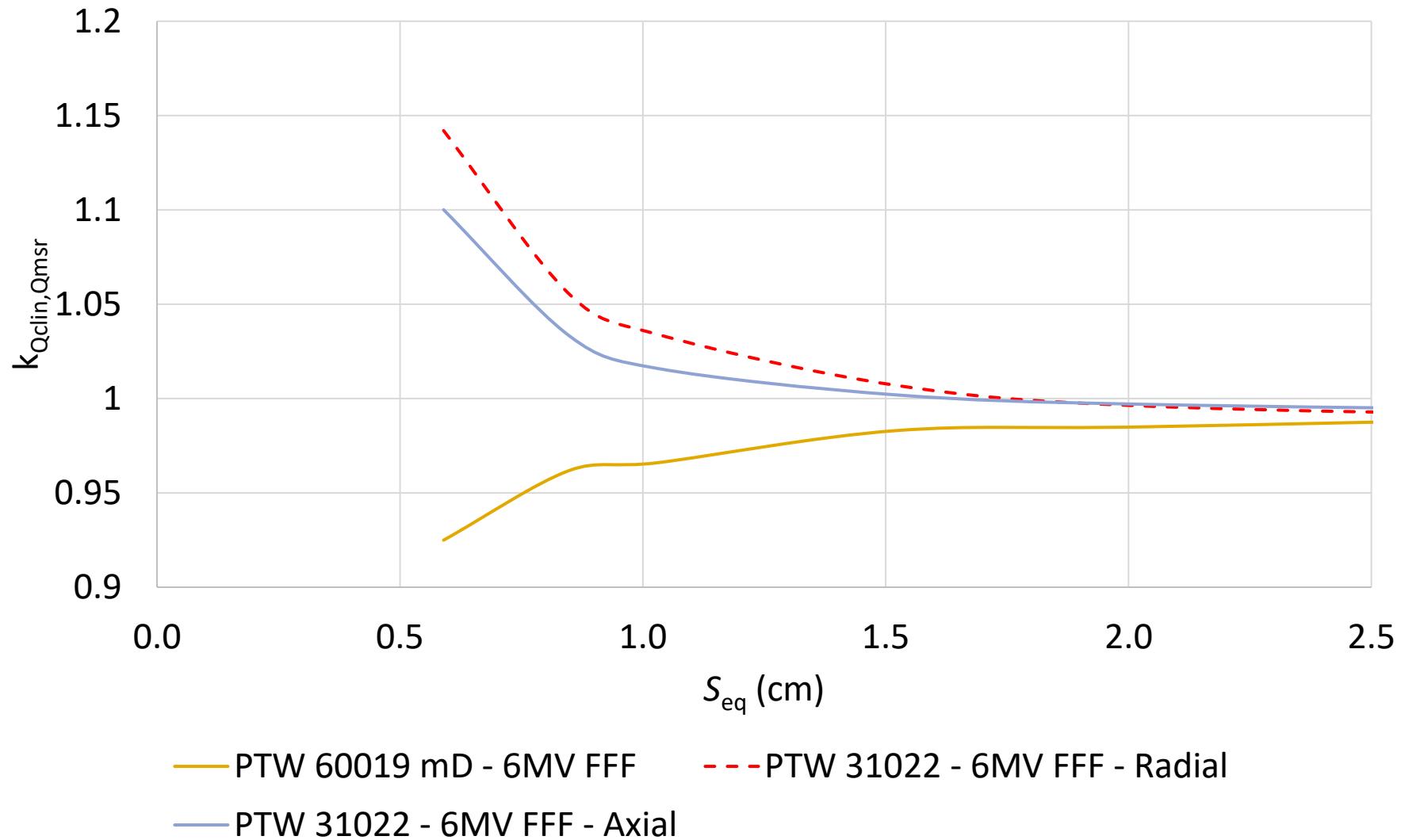
- $ROF(S_{eq}, B)$'s measured for MRL Unity:
 - PTW 60019 (axial),
 - PTW 31022 (axial, perpendicular, parallel)
- Nominal square field sizes: 0.5, 0.7, 1.0, 1.2, 1.5, 2.0, 3.0, 4.0, 5.0 and 10.0 cm² => $ROF(S_{eq})$
- 3d dose profiles measured with PTW 60019 =>
 - S_{eq} (50% level B = 1.5 T profile)
 - $k_{\vec{B},Q_{clin,norm}}(S_{eq})$ from fit
 - $k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq})$ from data of Casar *et al.* Med. Phys (2019, 2020)
- $OF(S_{eq}) = ROF(S_{eq}) \cdot k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq}) \cdot k_{\vec{B},Q_{clin,norm}}(S_{eq})$

	u_A (%)	u_B (%)
$ROF(S_{eq}, B)$	0.14	0.0 – 1.0
Recombination correction: k_s		0.08
Output correction factor $k_{Q_{clin},Q_{msr}}^{f_{clin},f_{msr}}(S_{eq})$ (i.e. B = 0.0 T)		0.8 – 1.8
$k_{\vec{B},Q_{clin,norm}}(S_{eq})$		0.7 – 0.8
		1.1 – 2.2

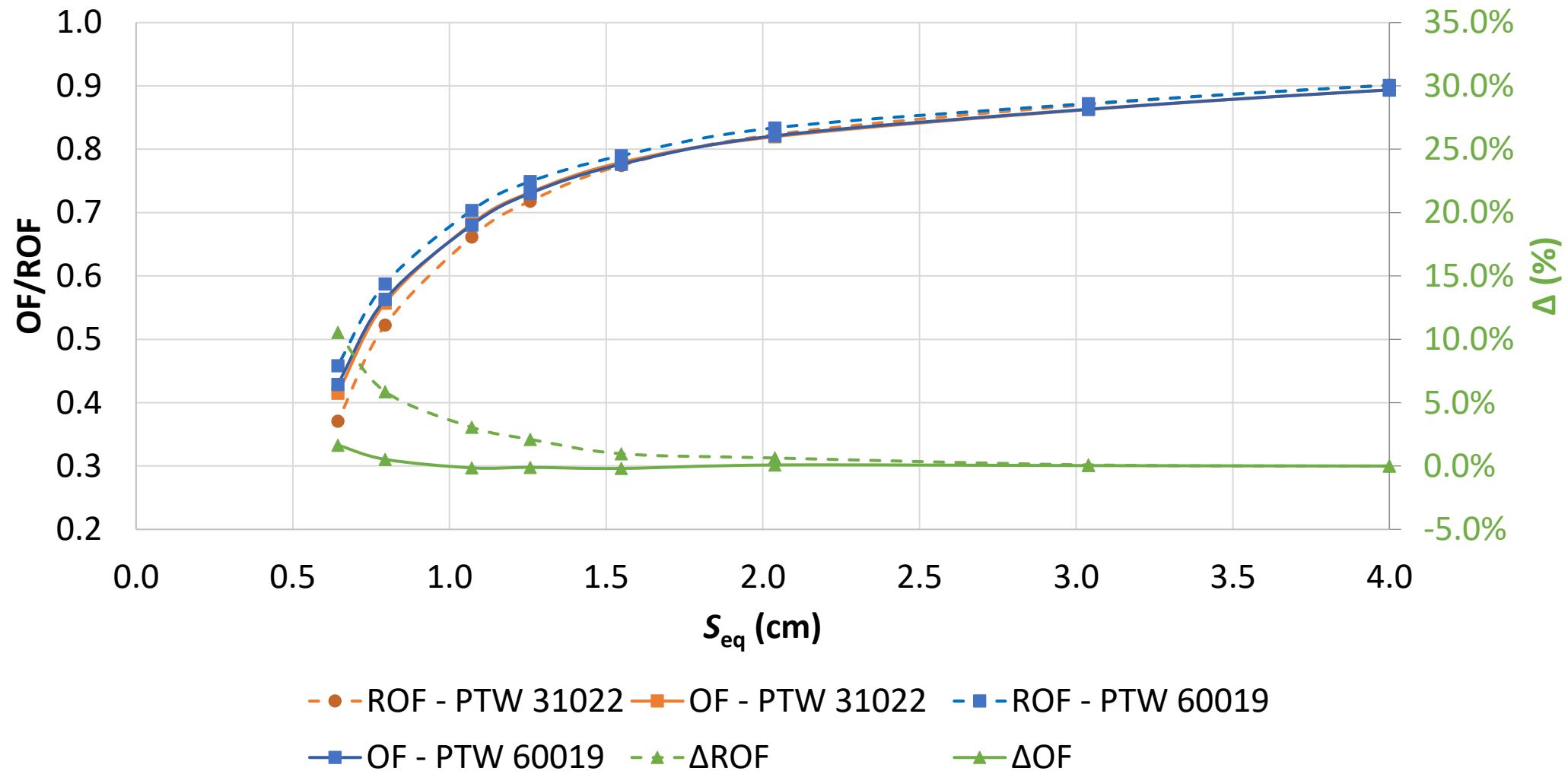
Uncertainty budget

- Uncertainty ROF from positioning and variation in reading
- Uncertainty output correction factor Casar *et al.* Med. Phys (2019, 2020)
- Uncertainty $k_{\vec{B},Q_{clin,norm}}(S_{eq})$ from fit

$k_{Q_{clin}, Q_{msr}}^{f_{clin}, f_{msr}}(S_{eq})$: PTW 31022 and 60019 (Casar et al.)

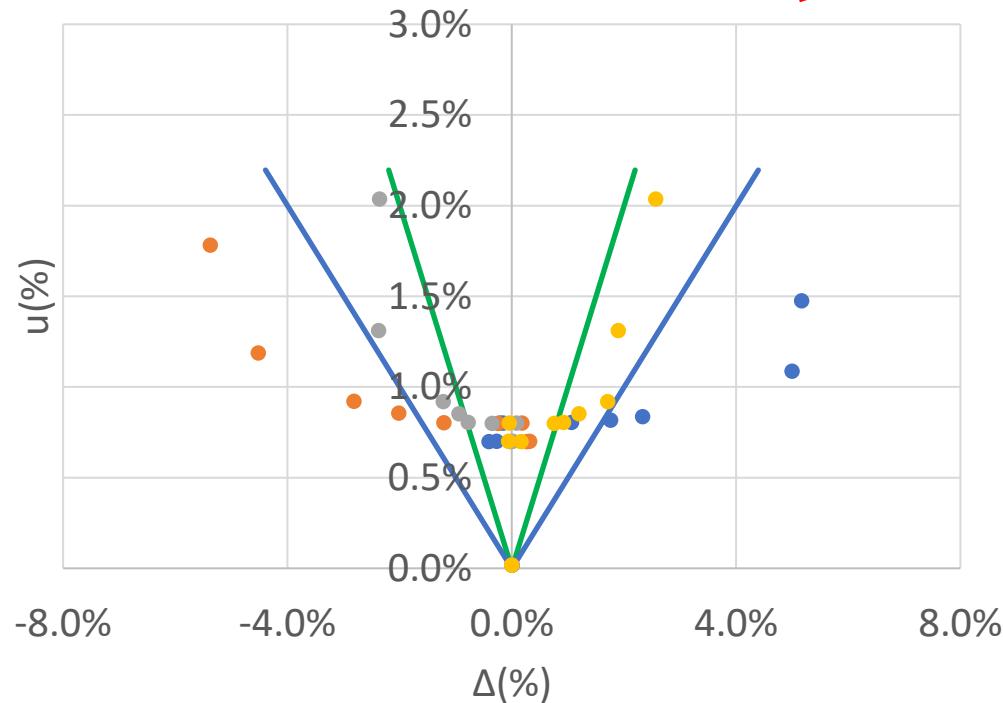


OF data B=0.0 T



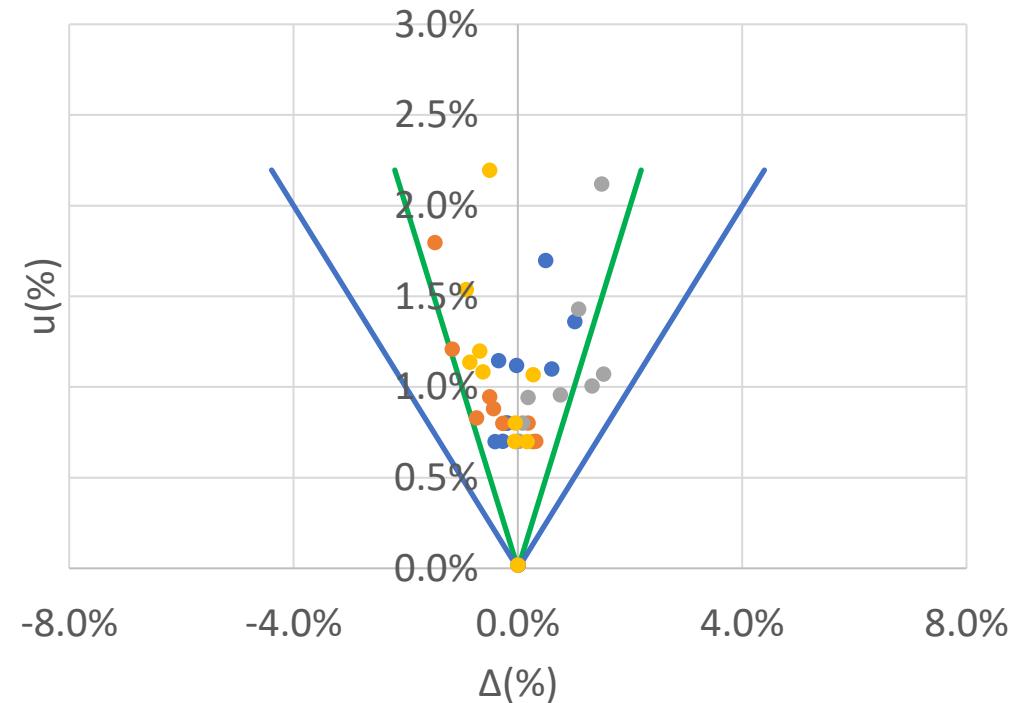
OF data B=1.5 T

$$OF(S_{eq}, B) = ROF(S_{eq}, B) \cdot k_{Q_{clin}, Q_{msr}}^{f_{clin}, f_{msr}}(S_{eq}) \cdot k_{B, Q_{clin, norm}}(S_{eq})$$



Δ : difference between OF and mean OF (per field size)
 u : uncertainty on Δ

$$OF(S_{eq}, B) = ROF(S_{eq}, B) \cdot k_{Q_{clin}, Q_{msr}}^{f_{clin}, f_{msr}}(S_{eq}) \cdot k_{B, Q_{clin, norm}}(S_{eq})$$



- OF axial – PTW 60019
 - OF perpendicular – PTW 31022
 - OF axial – PTW 31022
 - OF parallel – PTW 31022
- $k = 1$ — $k = 2$

Conclusion

- A method to calculate output correction factors for MR-linacs was developed
- The method is based on existing data for output correction factors for conventional linacs and an additional correction $k_{\vec{B},Q_{clin,norm}}(S_{eq})$
- $k_{\vec{B},Q_{clin,norm}}(S_{eq})$ and therefore the output correction factor in magnetic fields strongly depends on detector type and detector orientation
- The validity of the method was demonstrated by the consistency of measured OF data using the simulated $k_{\vec{B},Q_{clin,norm}}(S_{eq})$ data in combination with the data of Casar *et al.* *Med. Phys.* (2019, 2020)
- Uncertainty of measured *OFs* using the calculated correction factors is smaller than 2.2 % for field sides 0.5 – 2.0 cm.

Acknowledgement

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